

Star formation: how much should we care about its subgrid implementation?



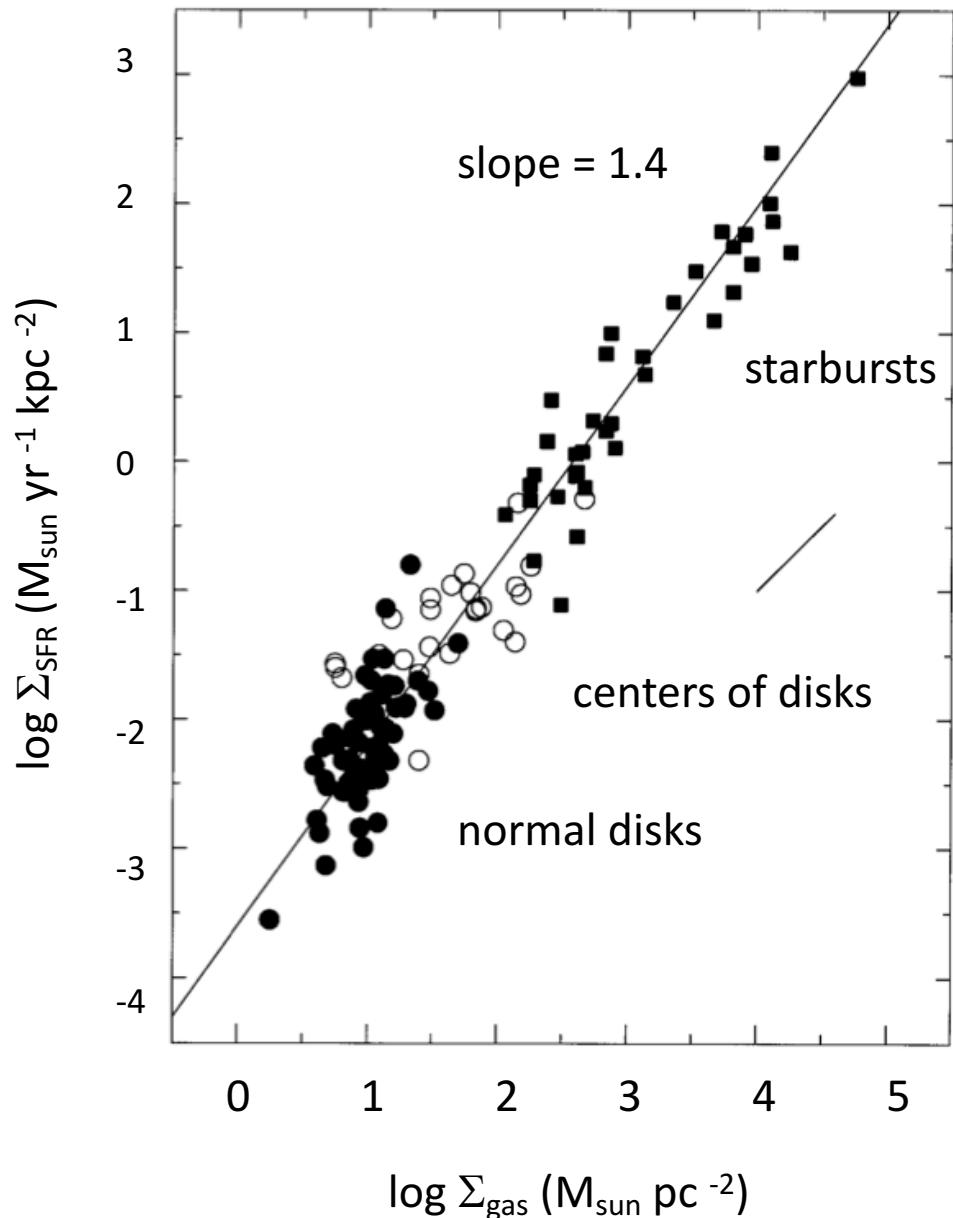
- J. Devriendt (Oxford)
- A. Slyz (Oxford)
- T. Kimm (Cambridge)
- M. Richardson (Oxford)

Outlook

- Presentation of the problem
- A tale of two cities: the case for turbulence
- The devil is in the details: how seemingly small changes in the subgrid model can have significant impact on global galaxy properties ...

How should we form stars in simulations?

-> using the observed star formation-surface gas density relation?



$$\Sigma_{\text{SFR}} \sim \Sigma^{1.4}$$

Question: is this simply

$$\dot{\rho}_* = \frac{\epsilon \rho}{t_{\text{ff}}} \propto \rho^{3/2}$$

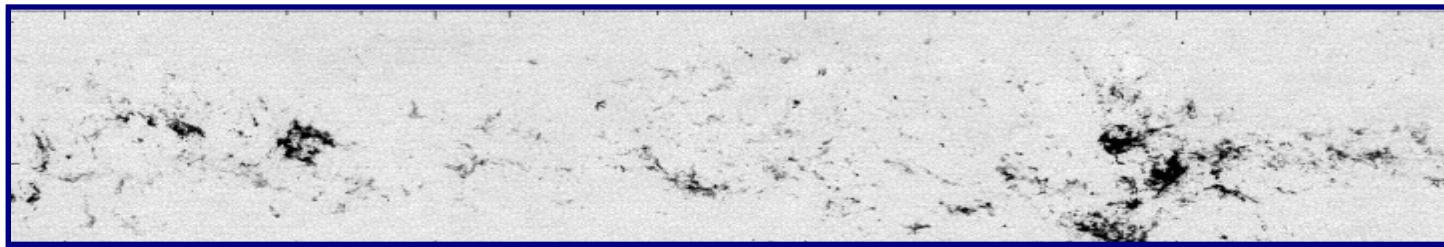
where

$$t_{\text{ff}}(\rho) \equiv \left(\frac{3\pi}{32G\rho} \right)^{1/2} ?$$

NB: spatially averaged on kpc scale

Kennicutt 1998

Positive answer: a two parameter implementation



Heyer et al. 1998

(FCRAO CO survey)

if $\rho > \rho_0$ → depends on
simulation
resolution!

need to at least reach average
molecular cloud densities:
50-100 at/cc ??

$$\dot{\rho}_* = \frac{\epsilon \rho}{t_{\text{ff}}} \propto \rho^{3/2}$$

$$t_{\text{ff}}(\rho) \equiv \left(\frac{3\pi}{32G\rho} \right)^{1/2}$$

with $\epsilon = 0.01$

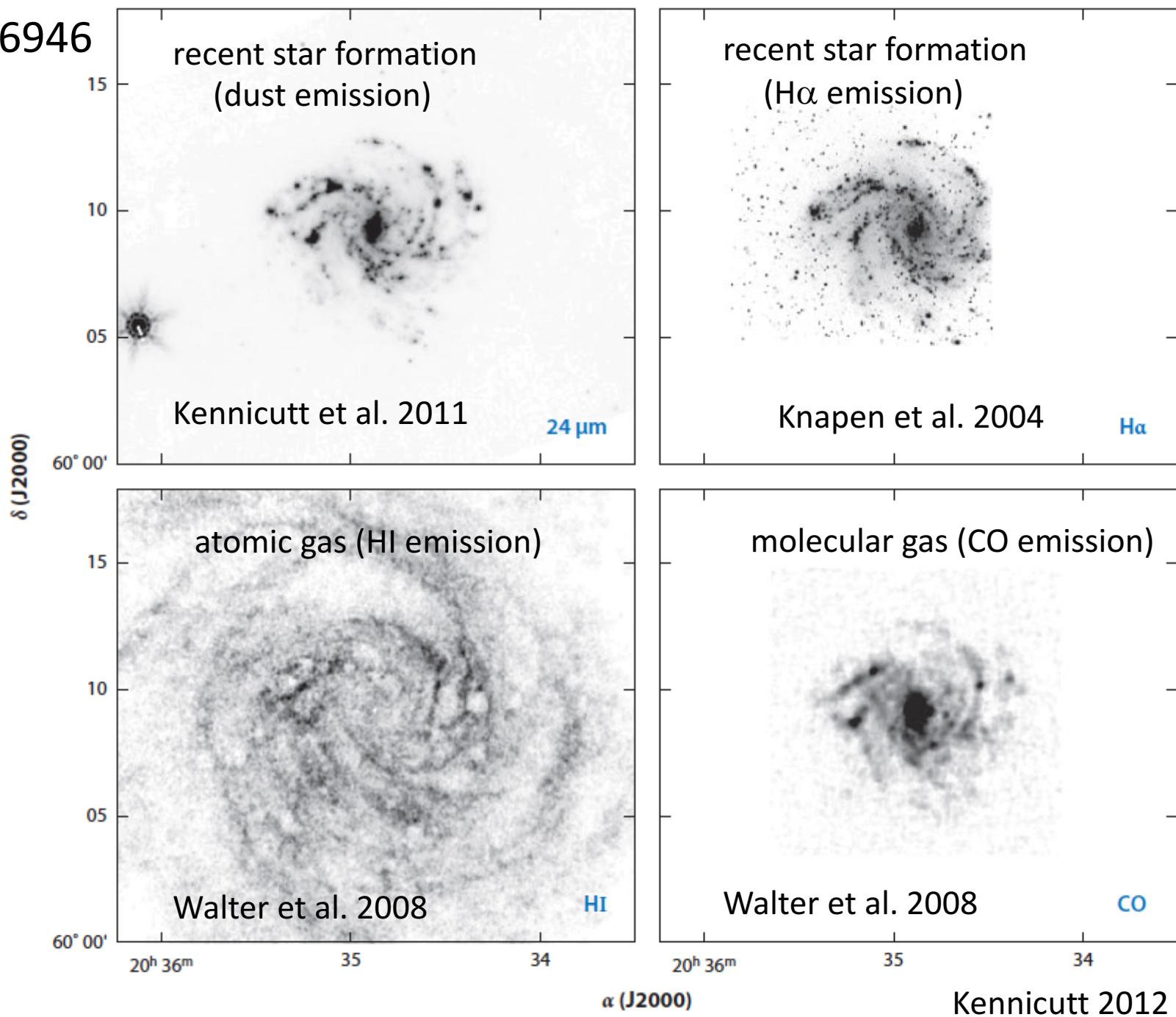


star formation

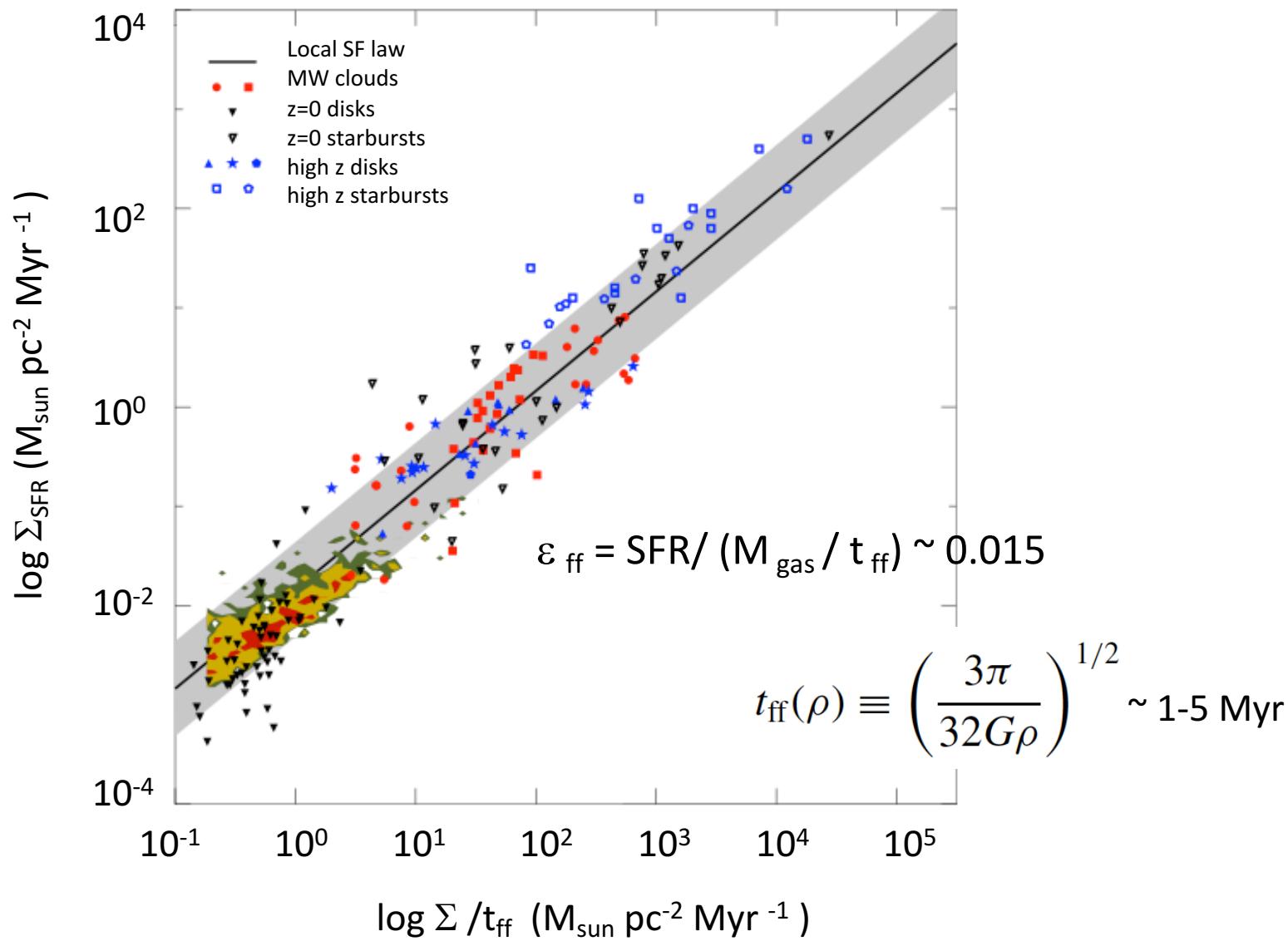
efficiency: Universal parameter? What about prediction?

(e.g. Krumholz & Tan 2005)

NGC 6946



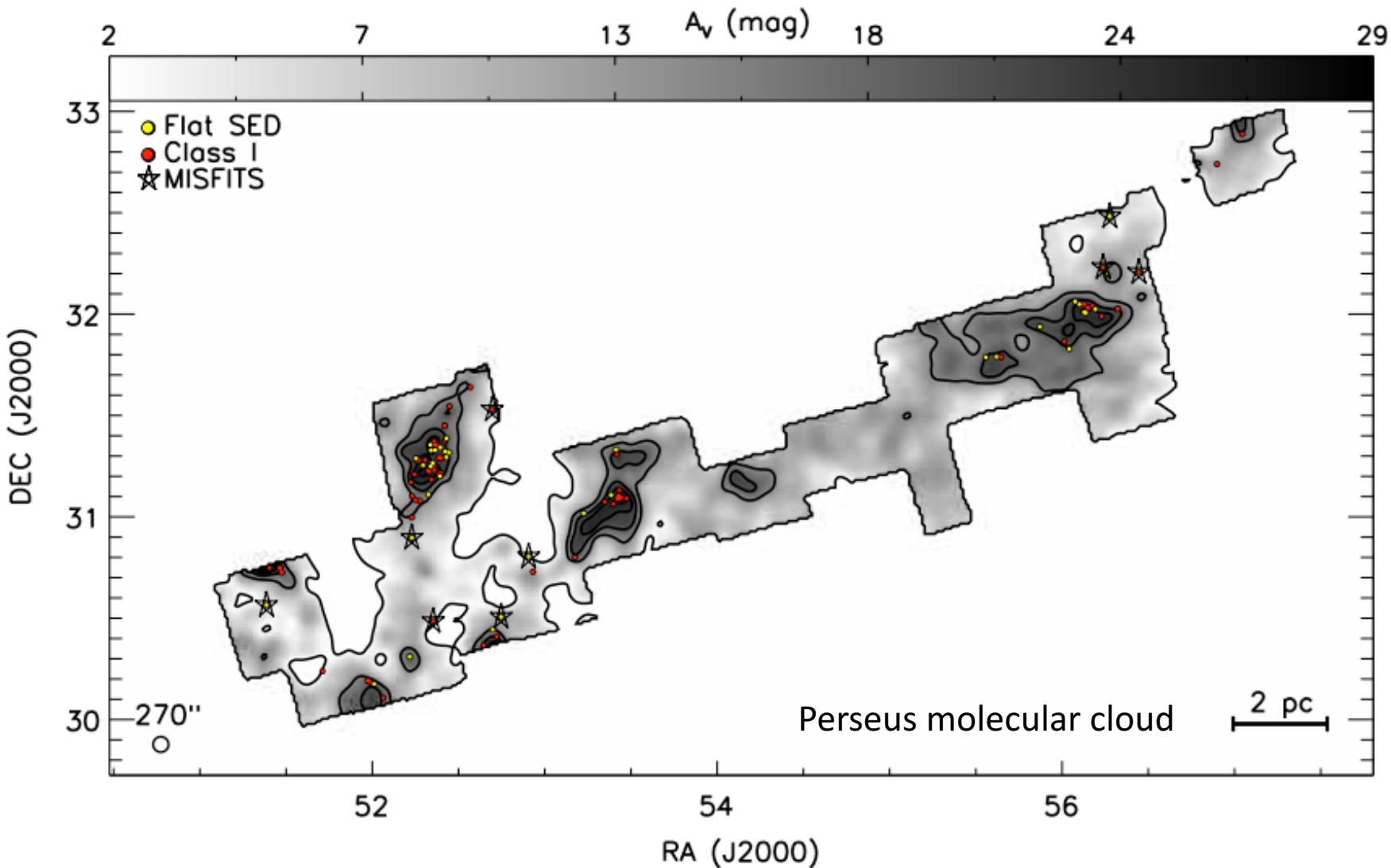
Clouds on the star formation - gas surface density relation.....

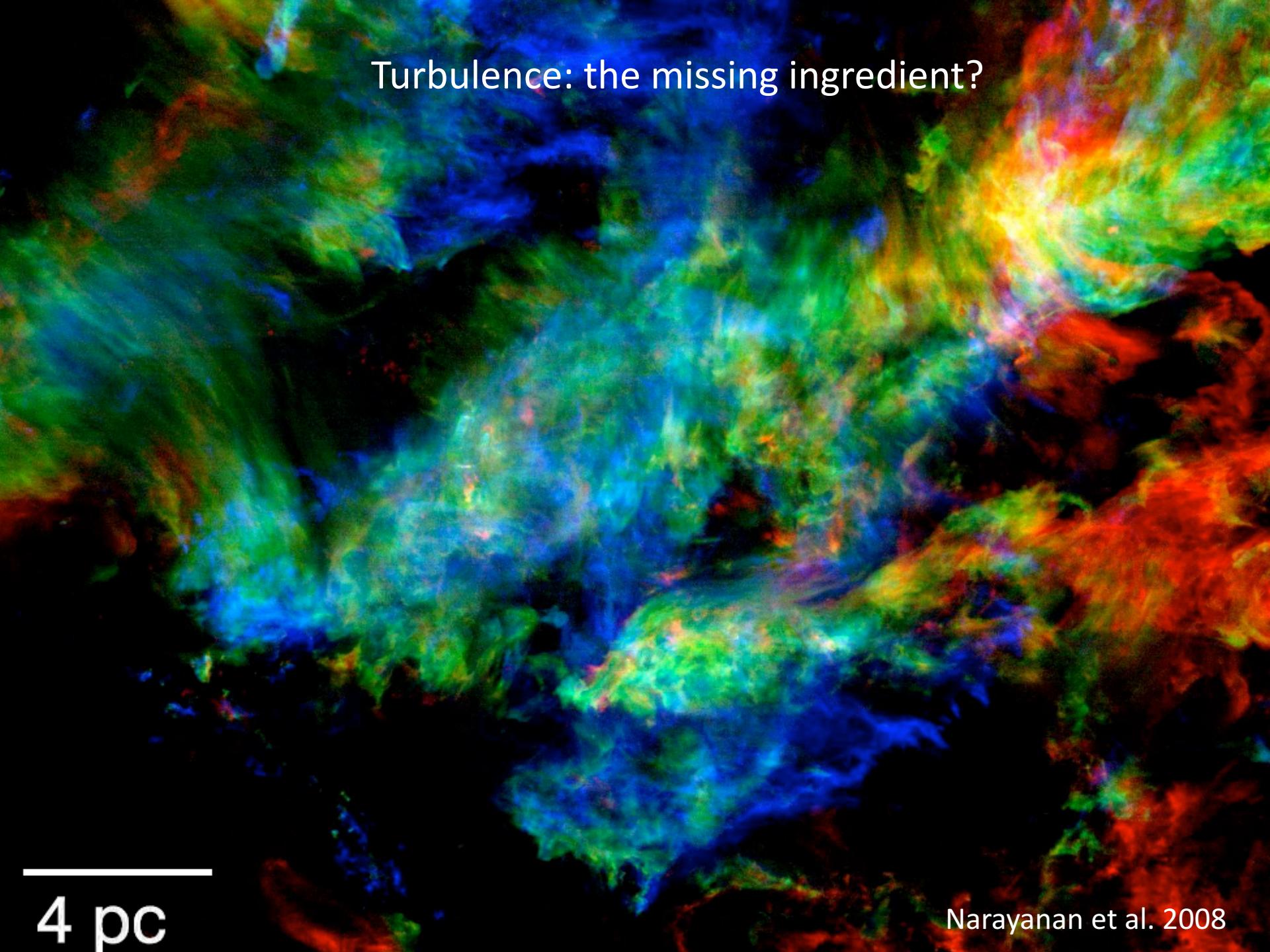


NB: Averaged on cloud scales

Krumholz et al. 2012, 2013

Caveat: stars do not form homogeneously in MC!



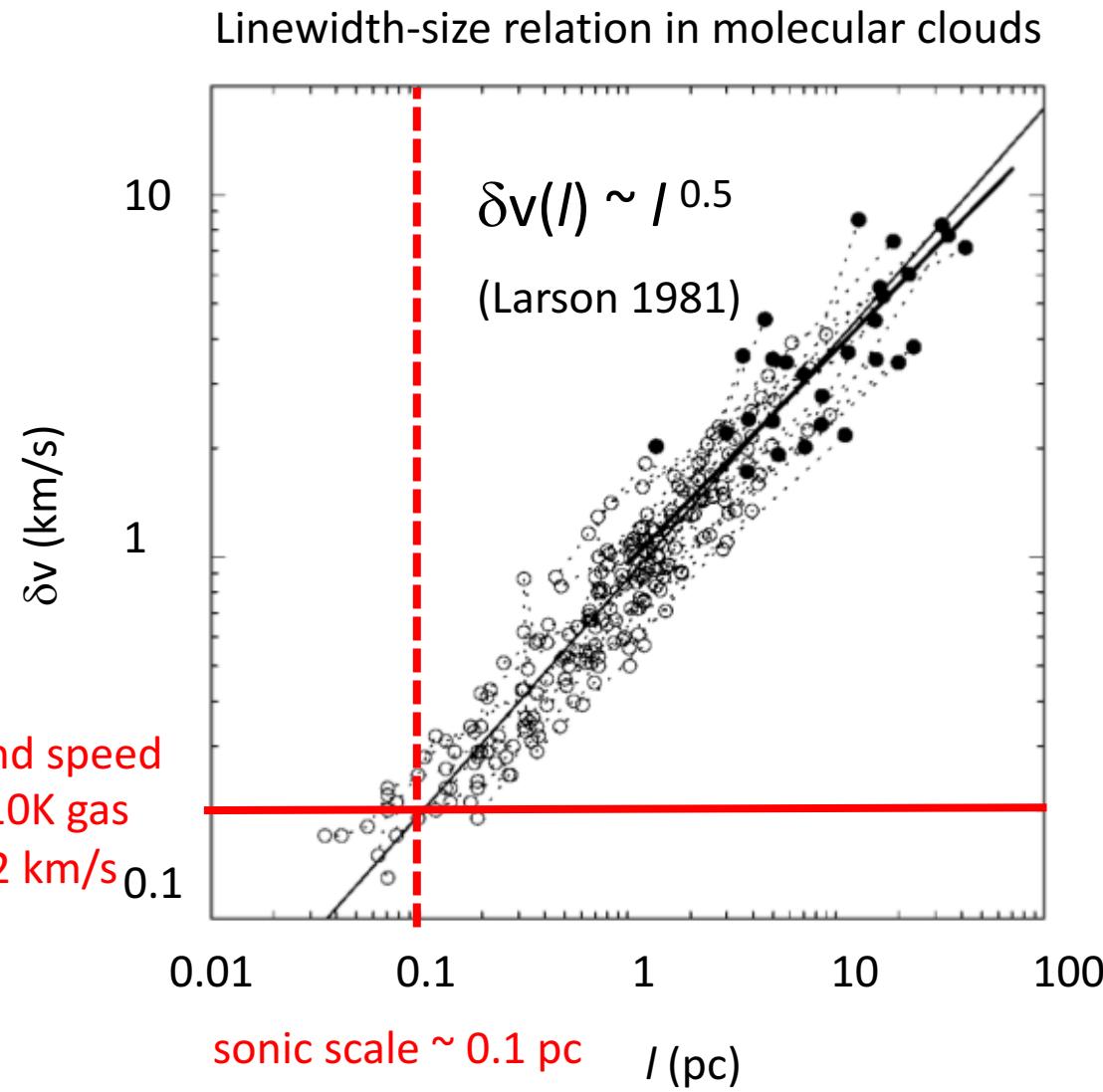


Turbulence: the missing ingredient?

4 pc

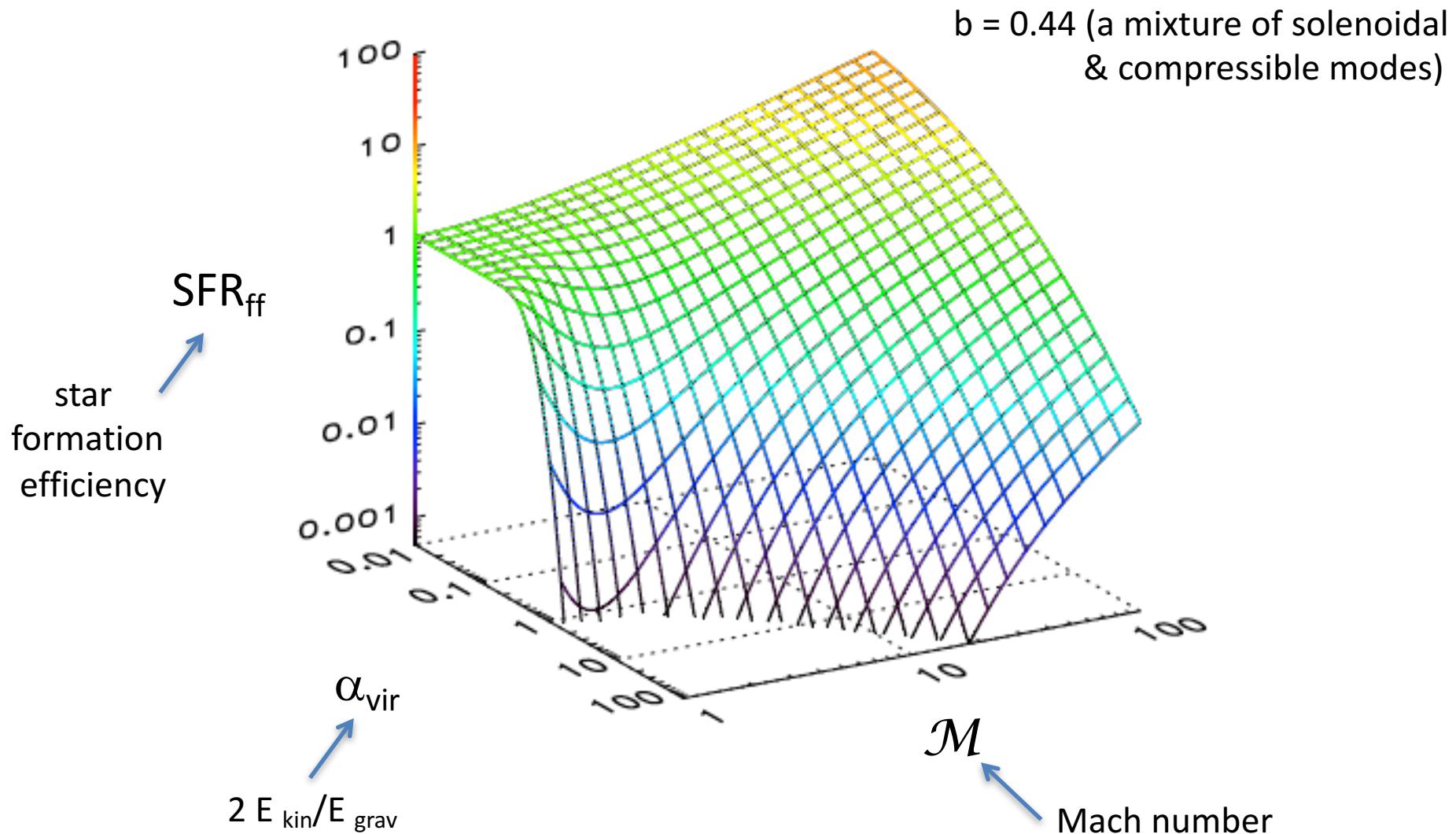
Narayanan et al. 2008

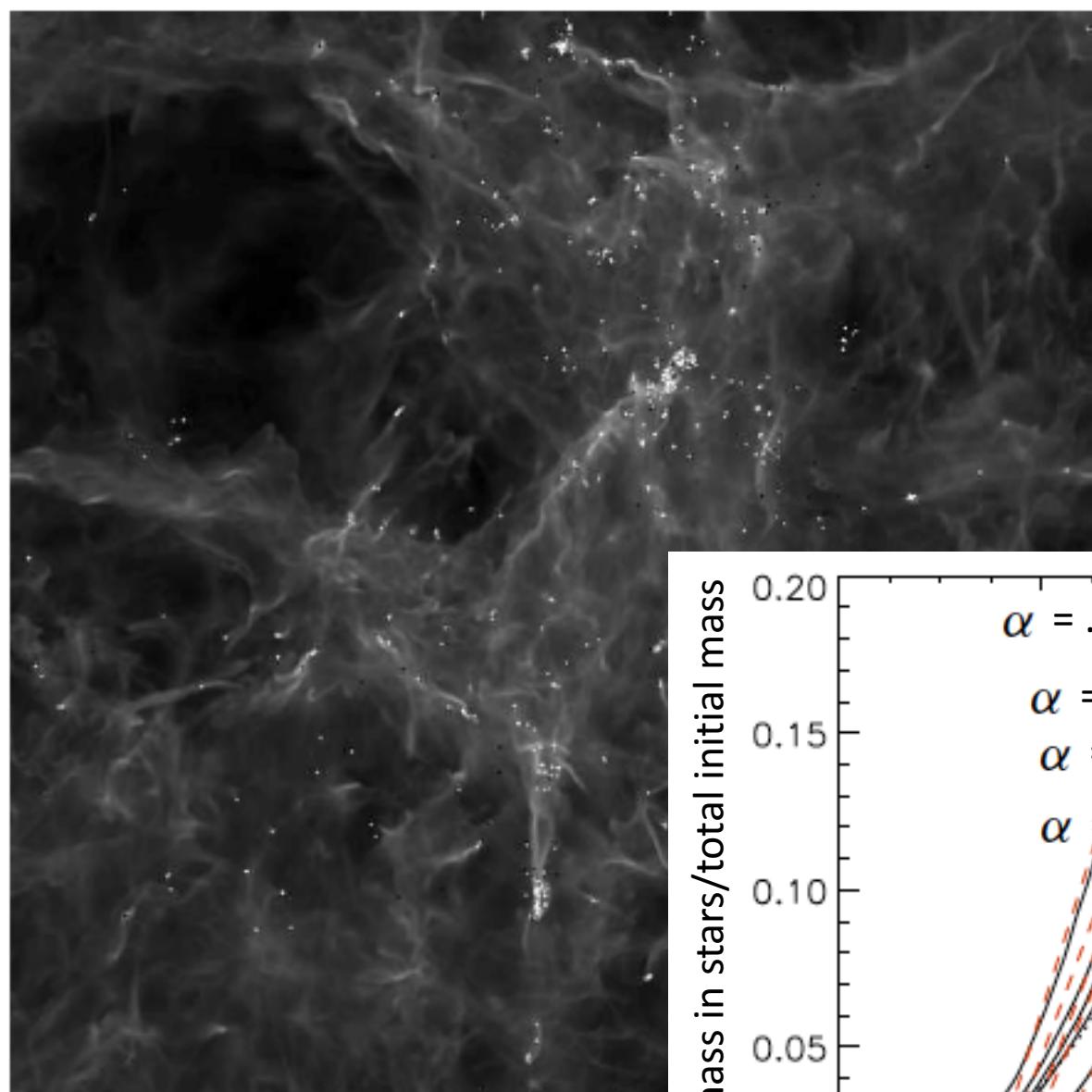
Evidence for supersonic compressible turbulence



Heyer & Brunt 2004

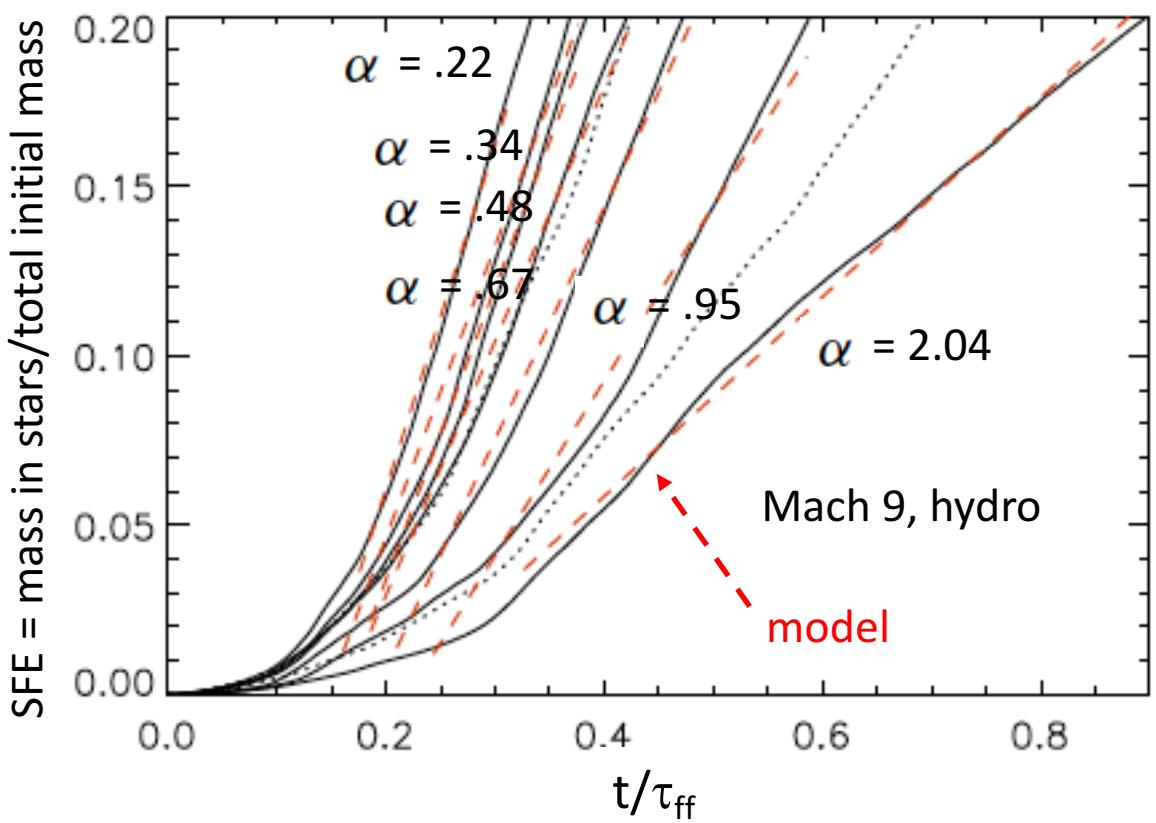
→ Build a model where star formation efficiency depends explicitly on dynamic properties of gas



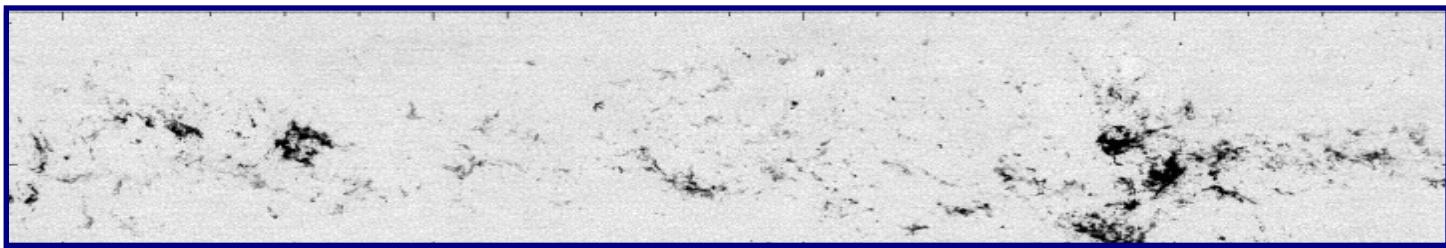


Excellent description of
star formation rate in
high resolution driven
supersonic turbulence
simulations (reduced
chi squared of order unity)

Padoan & Nordlund 2011



How should we form stars in simulations?



Heyer et al. 1998

(FCRAO CO survey)

$$\text{if } \sigma_{\text{eff}}^2 + c_s^2 < \beta G M$$

Hopkins, Narayanan, Murray 2013

No more resolution-dependent density threshold!

Self-gravity criterion ($\beta \sim 1$) equiv to “turbulent” Jeans length to pick the locii of star formation \rightarrow no need to add (numerical) pressure support

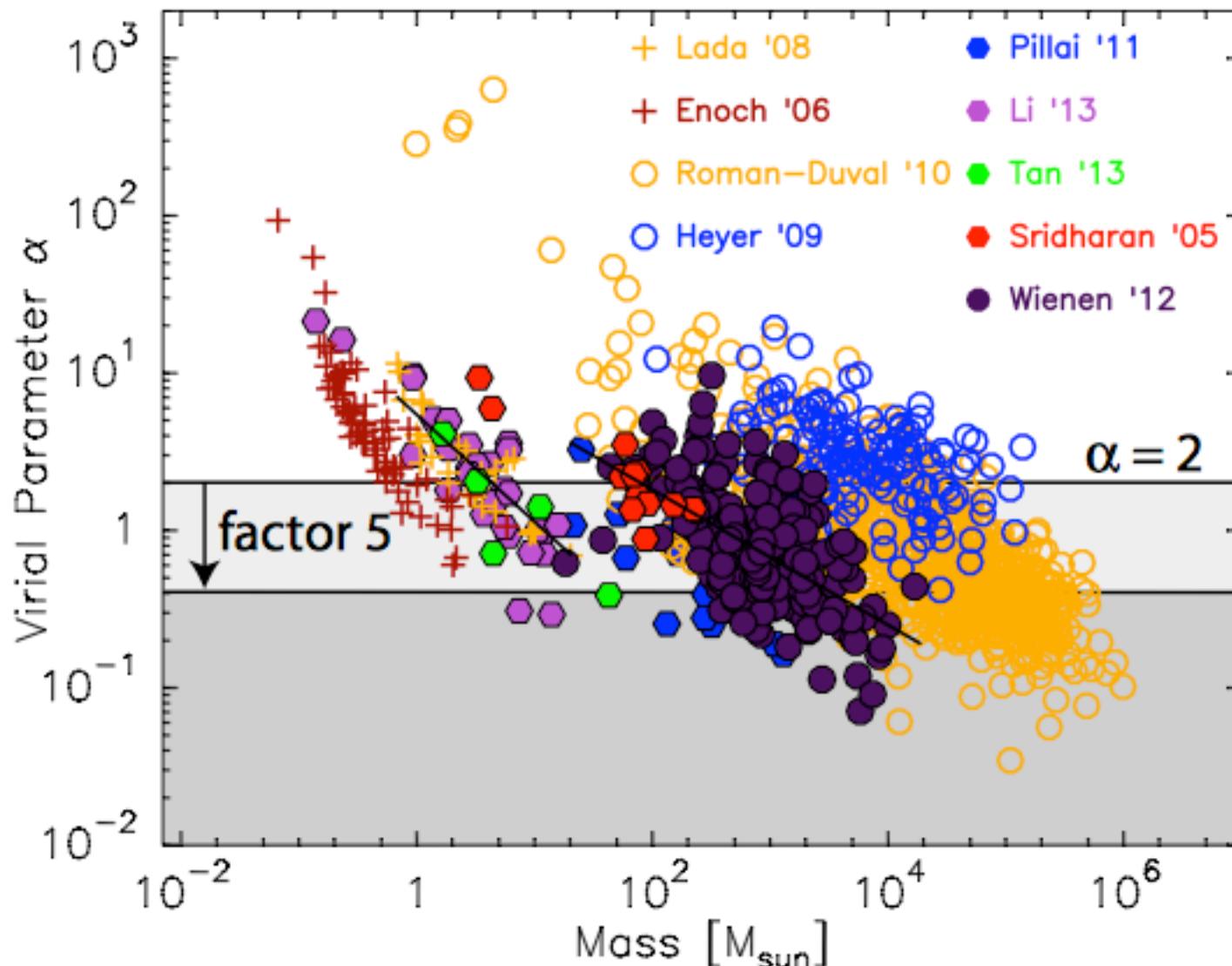
$$\dot{\rho}_* = \frac{\epsilon \rho}{t_{\text{ff}}}$$

Can also add B field (Sergio Martin’s talk)

with $\epsilon = \text{SFR}_{\text{ff}} = \text{SFR}_{\text{ff}}(\alpha_{\text{vir}}, b, \mathcal{M})$ Federrath & Klessen 2012

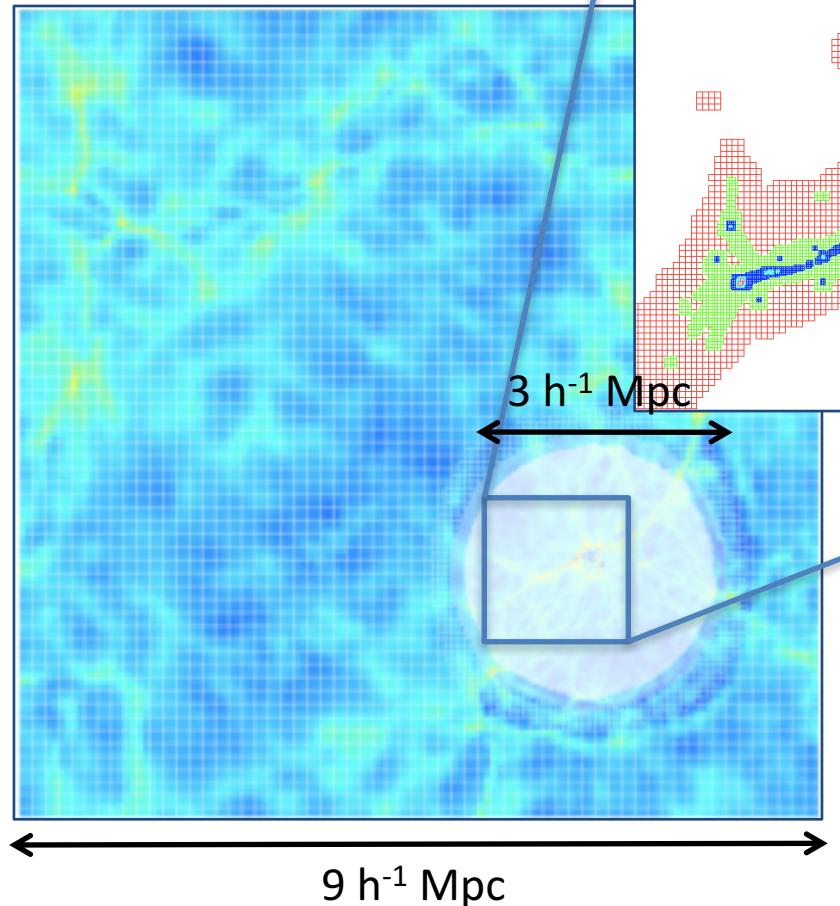
How wrong is self-gravity assumption?

What values for the virial parameter?



Kauffmann et al. 2013

Adaptive Mesh Refinement NUT () « re-simulations » ...

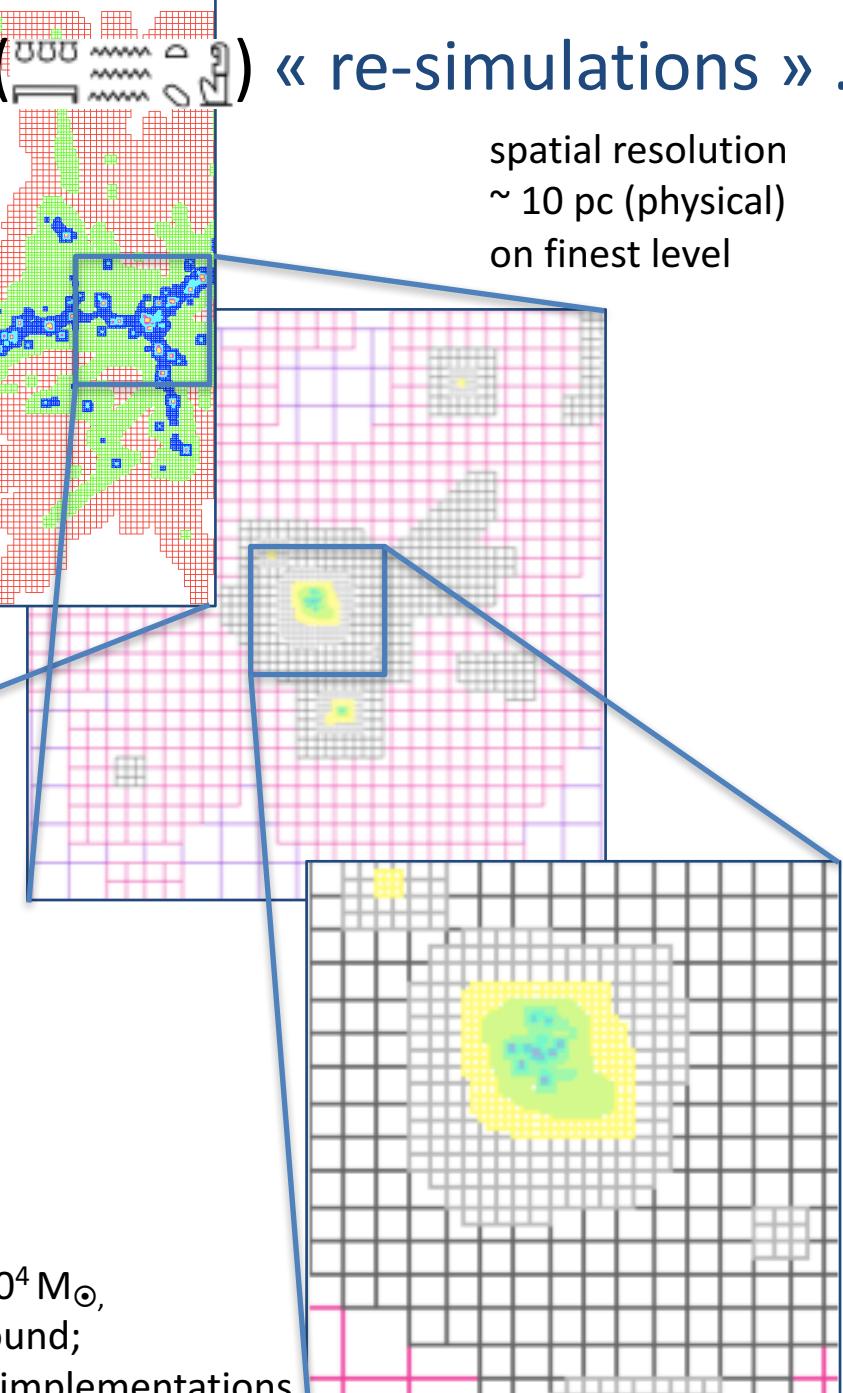


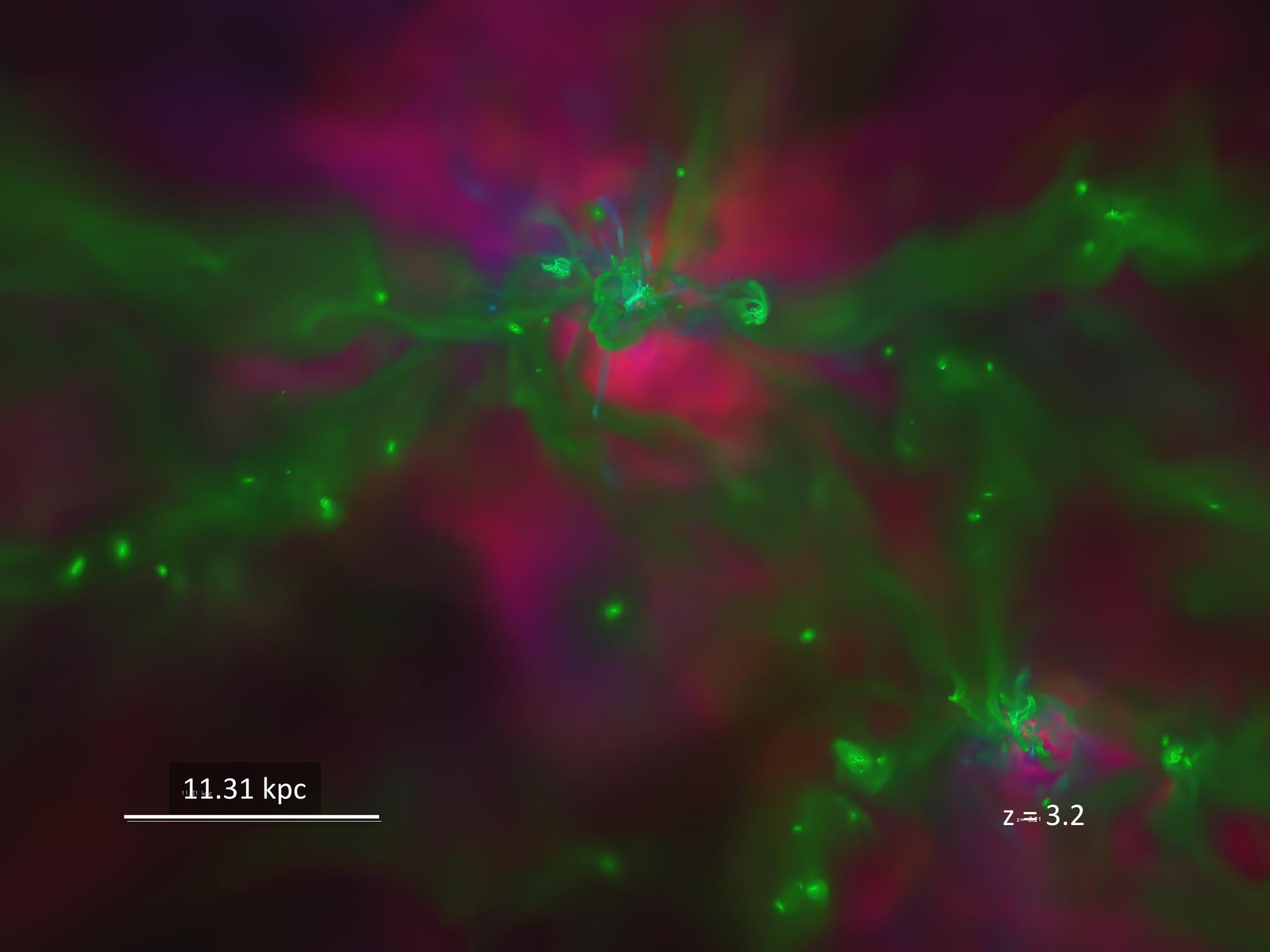
RAMSES code (Teyssier, 2002) with 128 root grid,
3 nested grids

10 AMR refinement levels

Identical simulations : $M_{\text{vir}}(z=0) \sim 5 \times 10^{11} M_{\odot}$, $M_{\text{DM}} \sim 5 \times 10^4 M_{\odot}$,
 $M_* \sim 5 \times 10^3 - \text{few } 10^4 M_{\odot}$ with metal cooling, UV background;

Different star formation and Type II supernovae feedback implementations

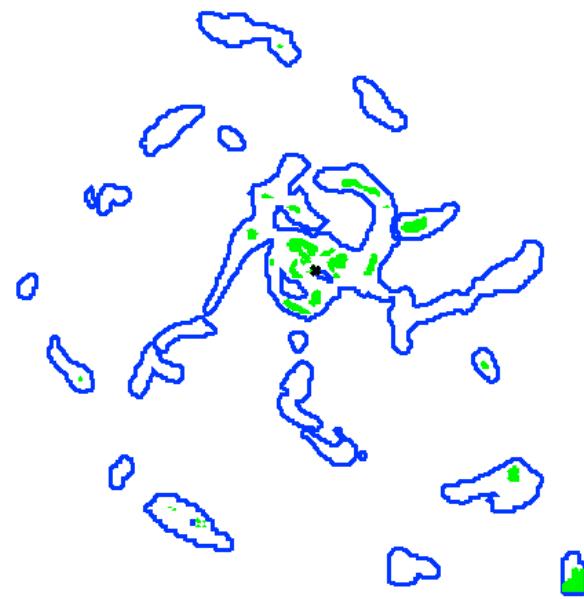




11.31 kpc

$z = 3.2$

Snapshot of the difference between SF models in a slice



Blue contours: gas isodensity at 100 at/cm³

Green : gravitationally unstable regions

Simulations & Results

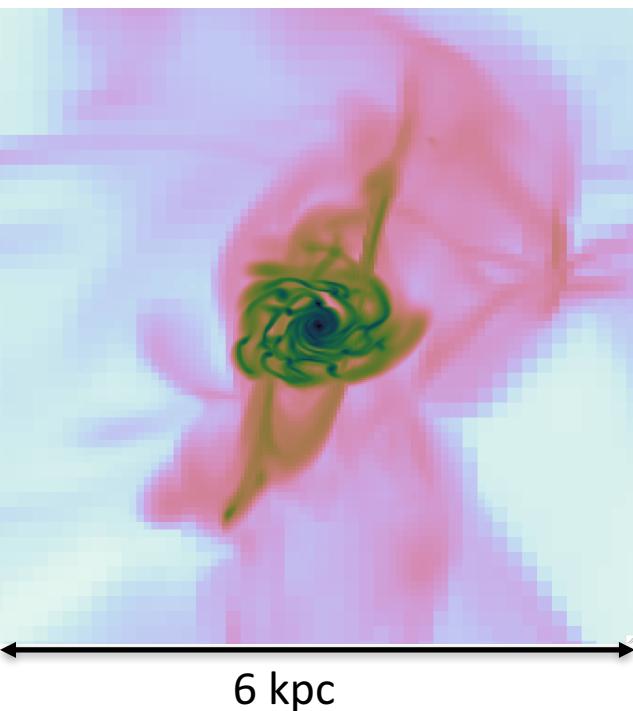
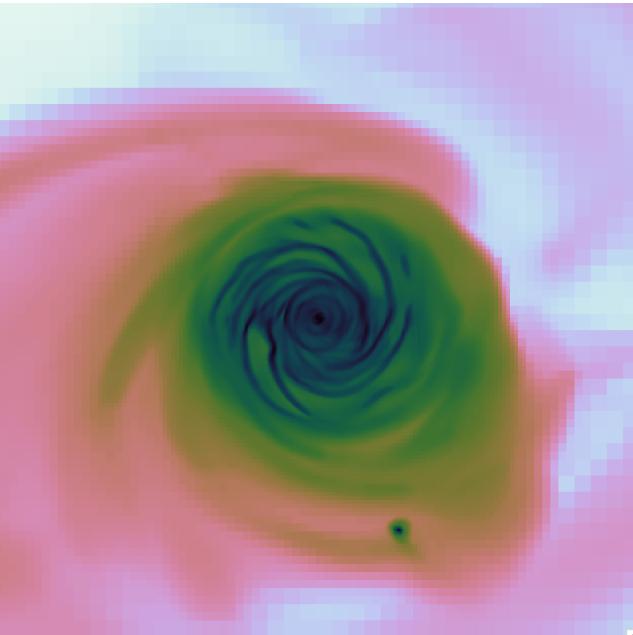
1. density threshold star formation, no SN feedback (SF1)

(2. “ ” , momentum conserving SN fbk)

3. turbulent star formation, no SN feedback (SF2)

(4. “ ” , momentum conserving SN fbk)

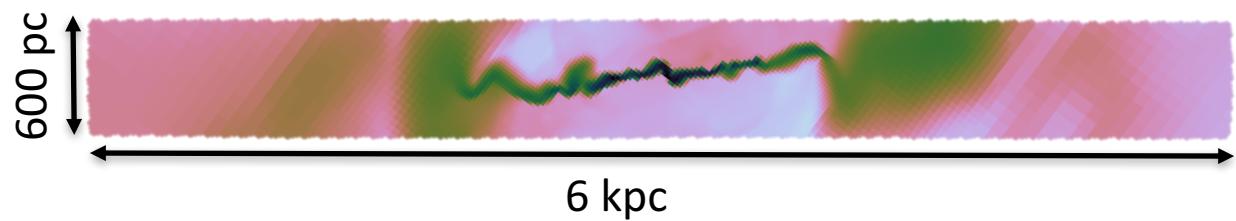
How does the galaxy ISM look like?



SF1 gas density: Face-on & Edge-on @ $z=3$

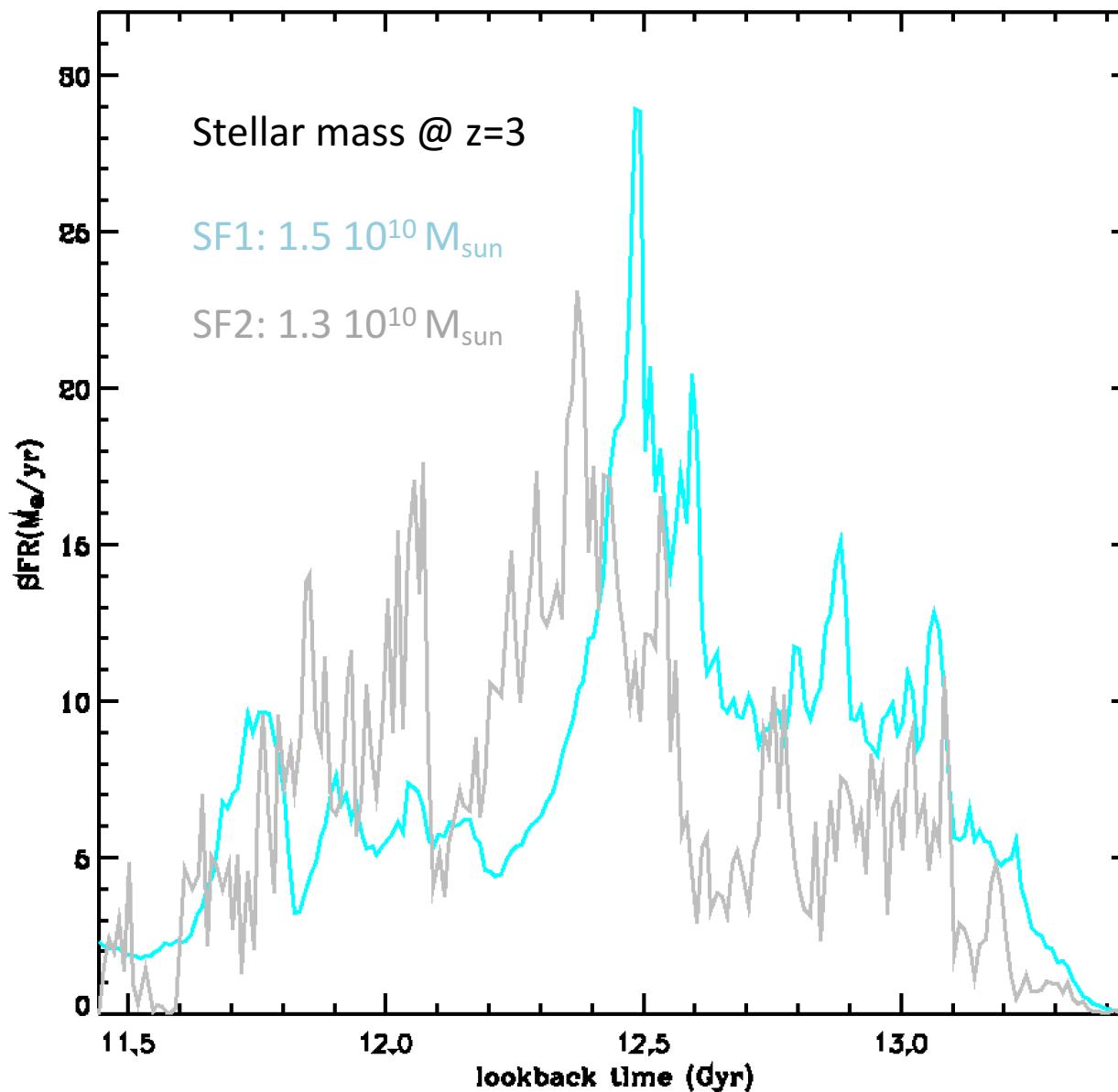


SF2 gas density: Face-on & Edge-on @ $z=3$

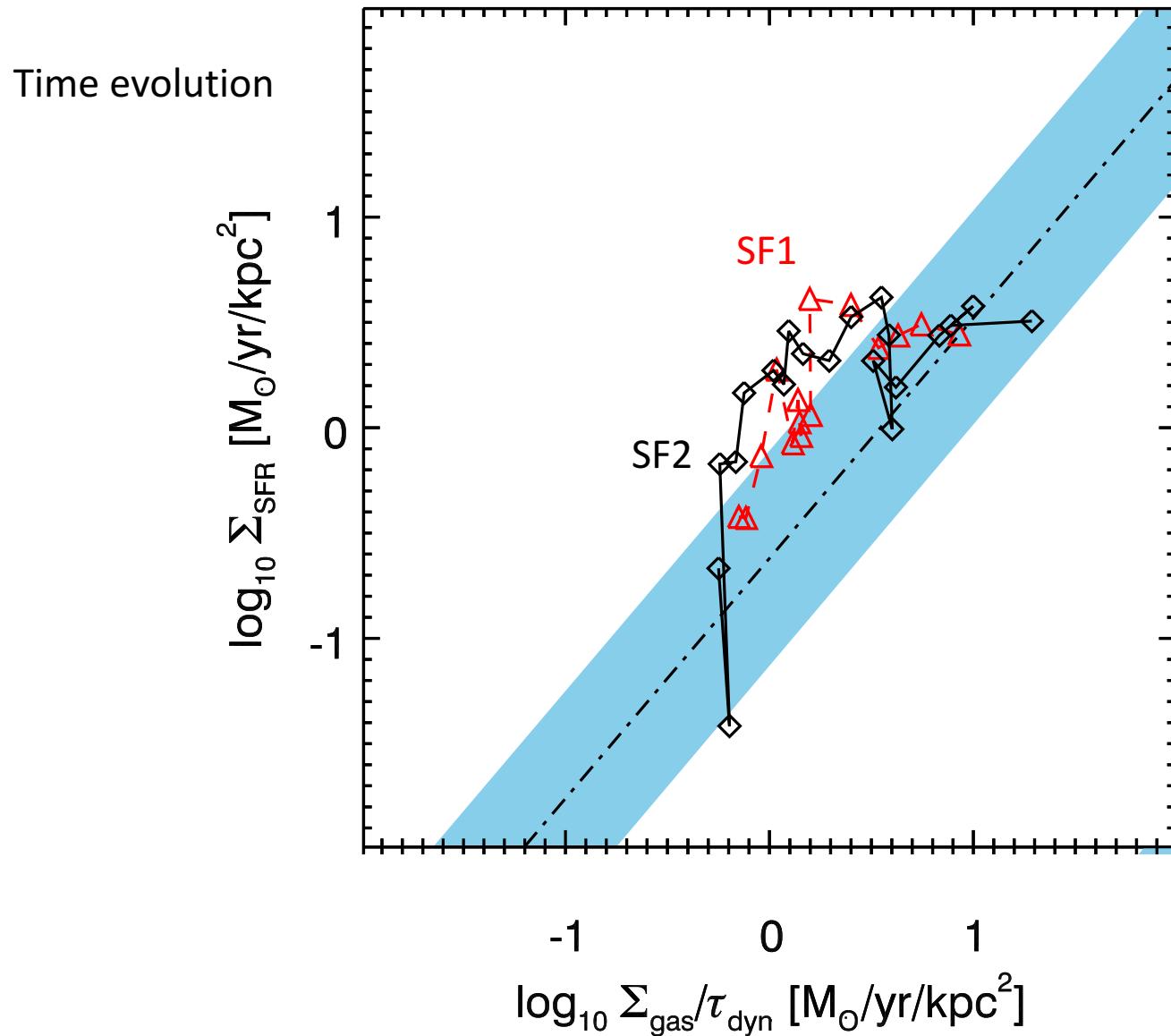


6 kpc

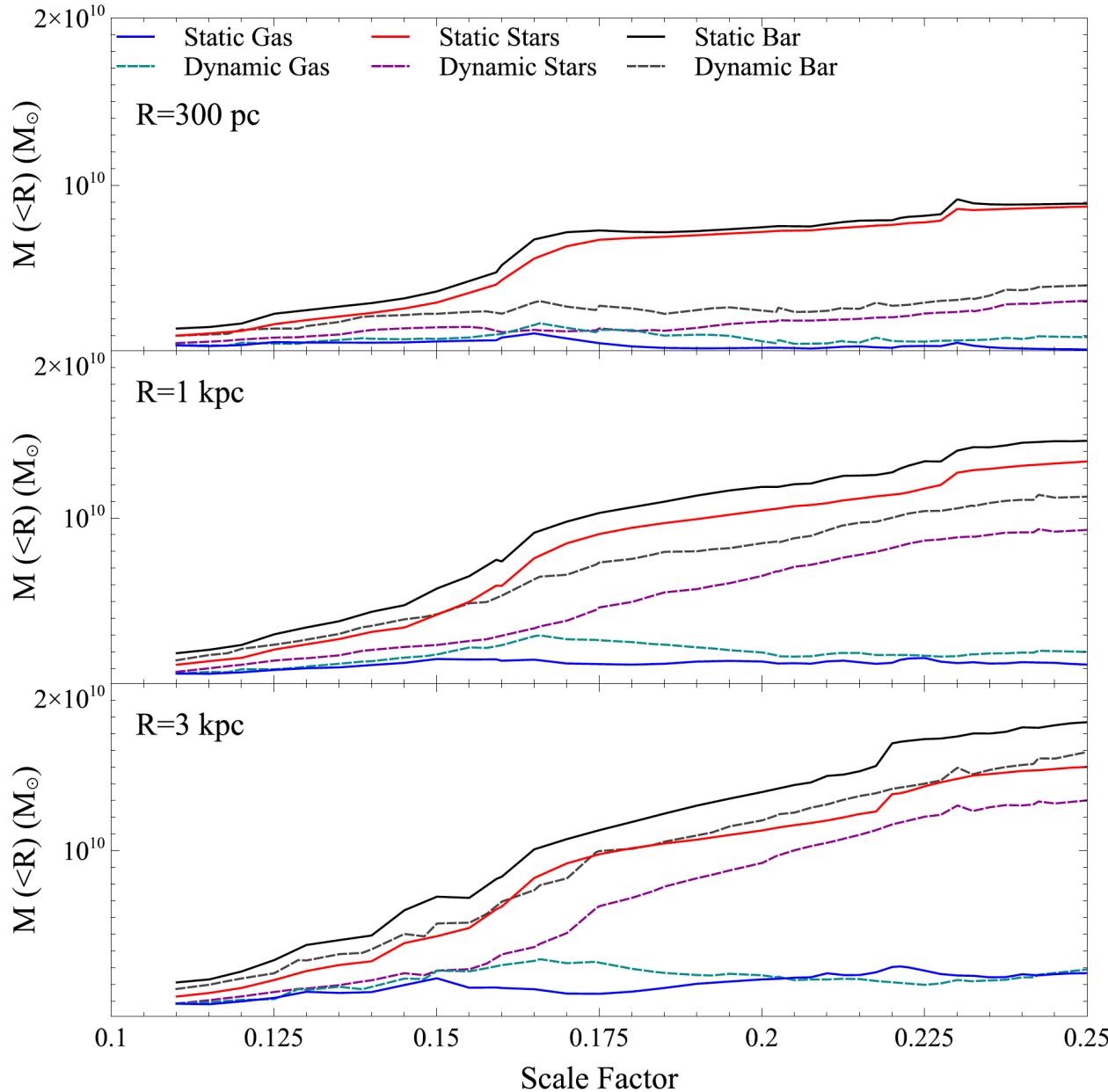
SF1 & SF2 have similar star formation rate histories



Both runs occupy similar locii on the Kennicutt-Schmidt law



Cumulative mass profiles evolution



Stellar mass @ z=3

SF1: $0.9 \cdot 10^{10} M_{\odot}$

SF2: $0.3 \cdot 10^{10} M_{\odot}$

Stellar mass @ z=3

SF1: $1.3 \cdot 10^{10} M_{\odot}$

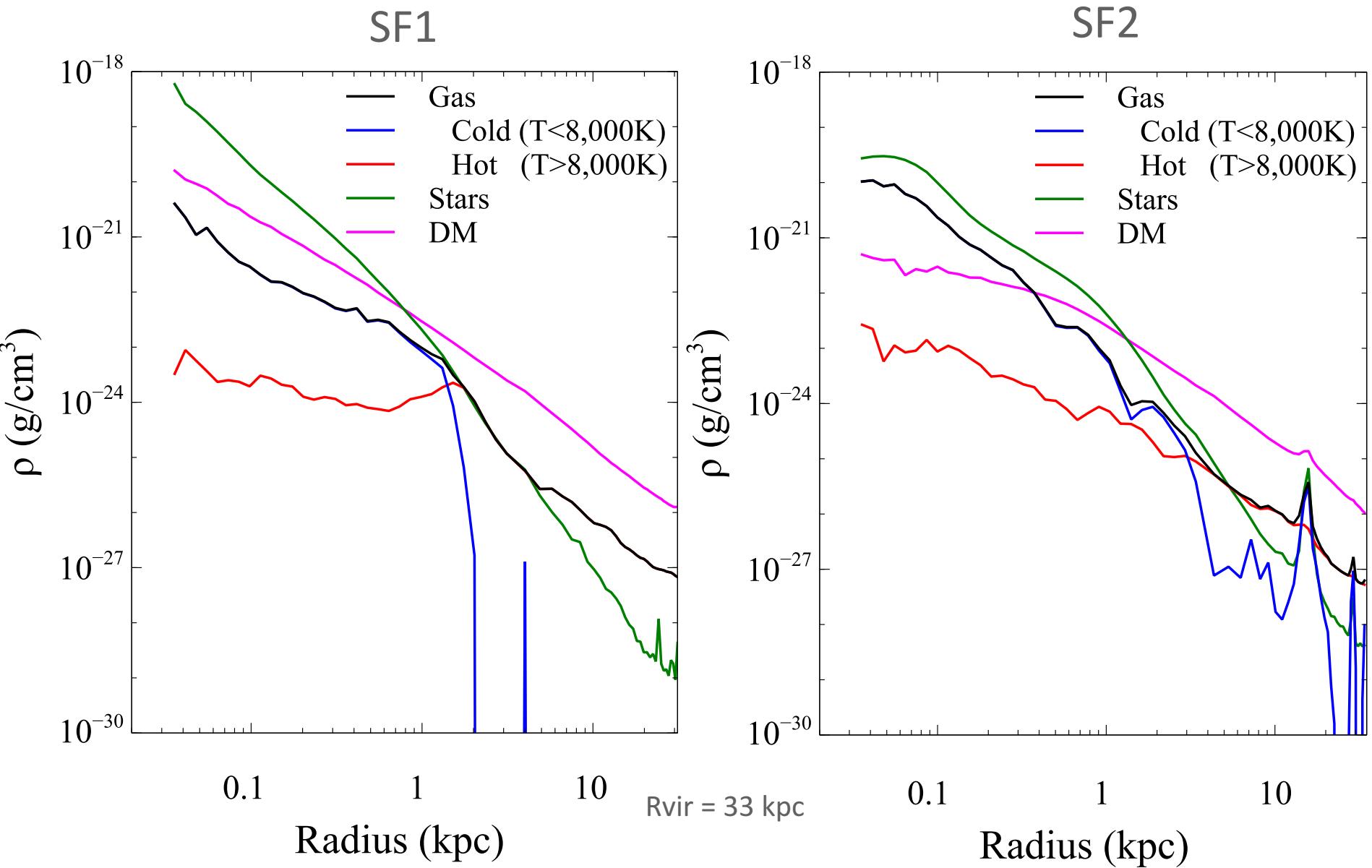
SF2: $0.9 \cdot 10^{10} M_{\odot}$

Stellar mass @ z=3

SF1: $1.5 \cdot 10^{10} M_{\odot}$

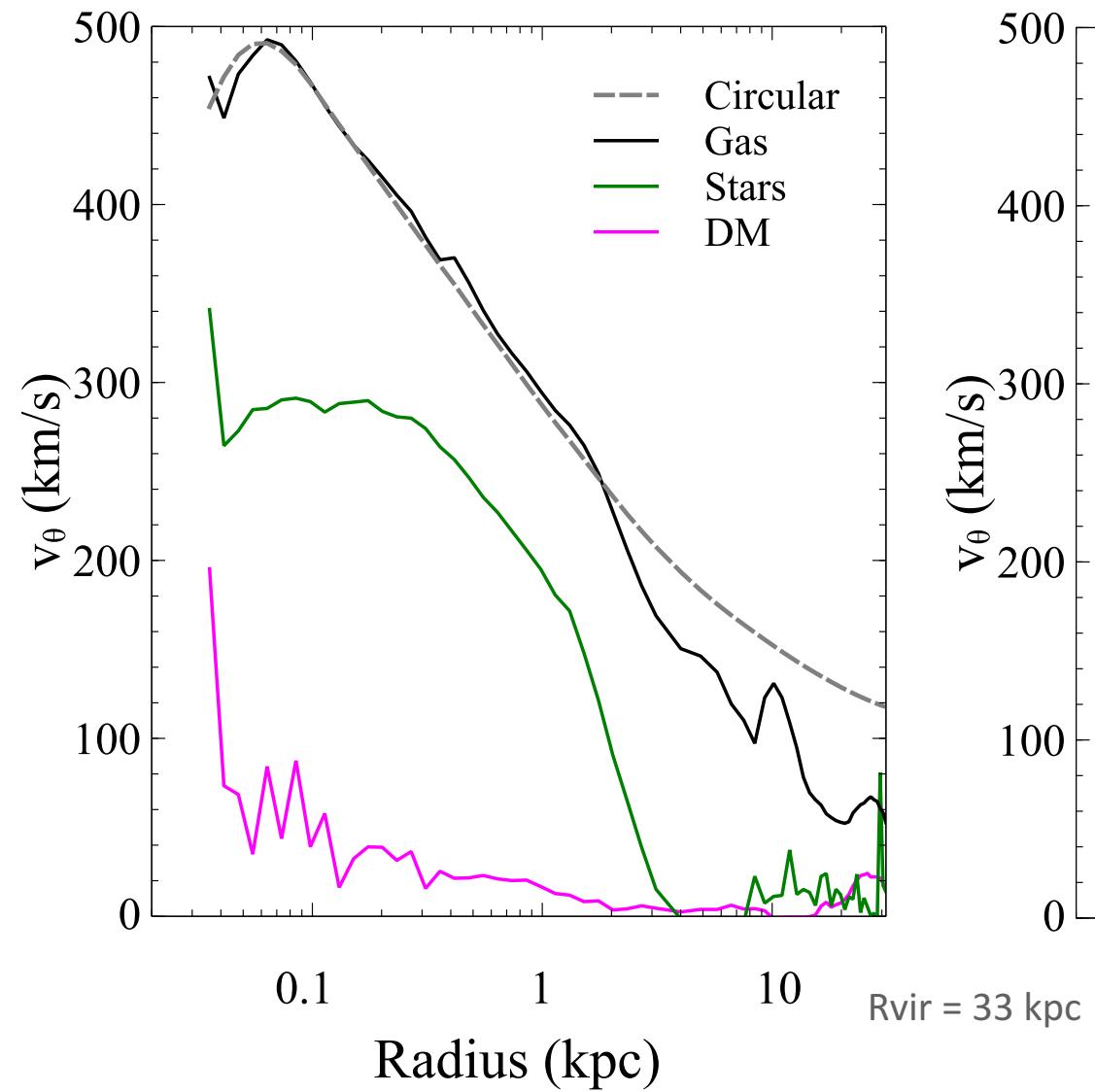
SF2: $1.3 \cdot 10^{10} M_{\odot}$

Galaxy density profiles @ $z=3$

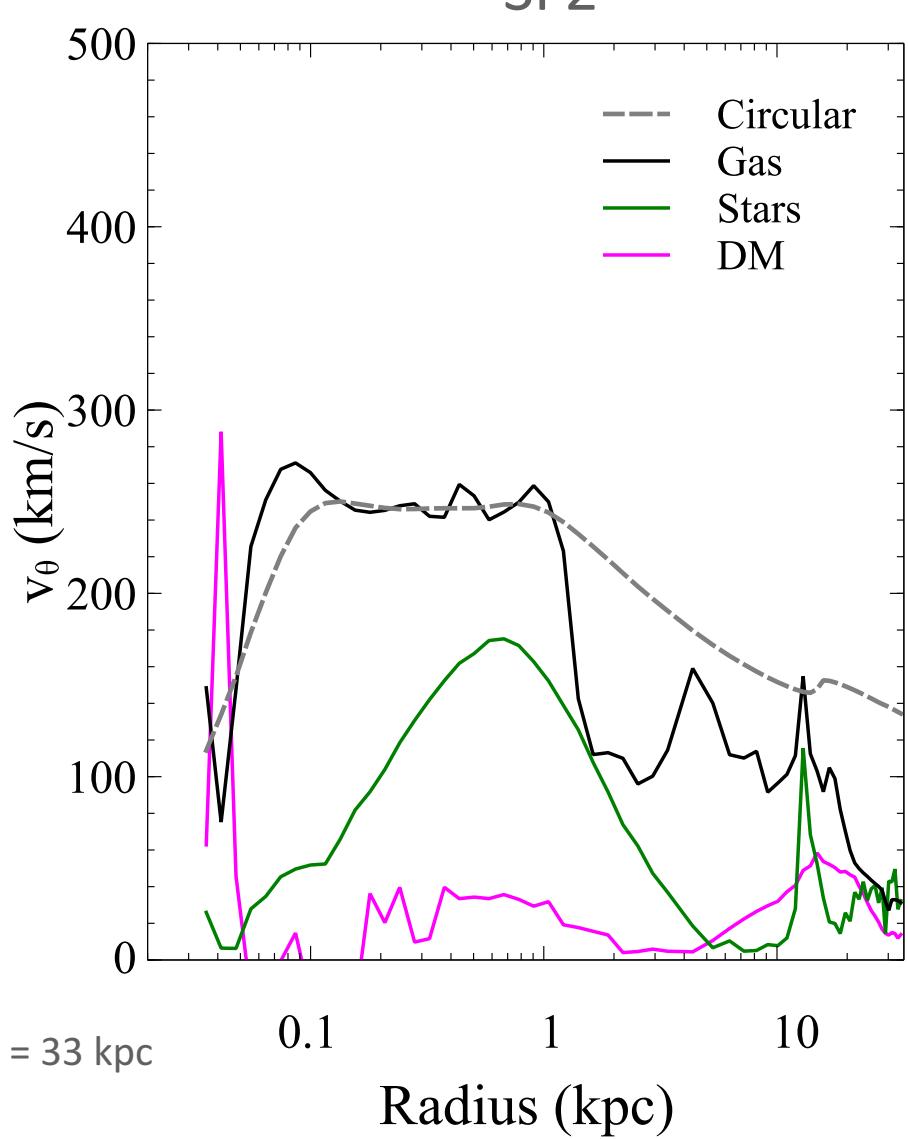


Galaxy rotation curves @ z=3

SF1

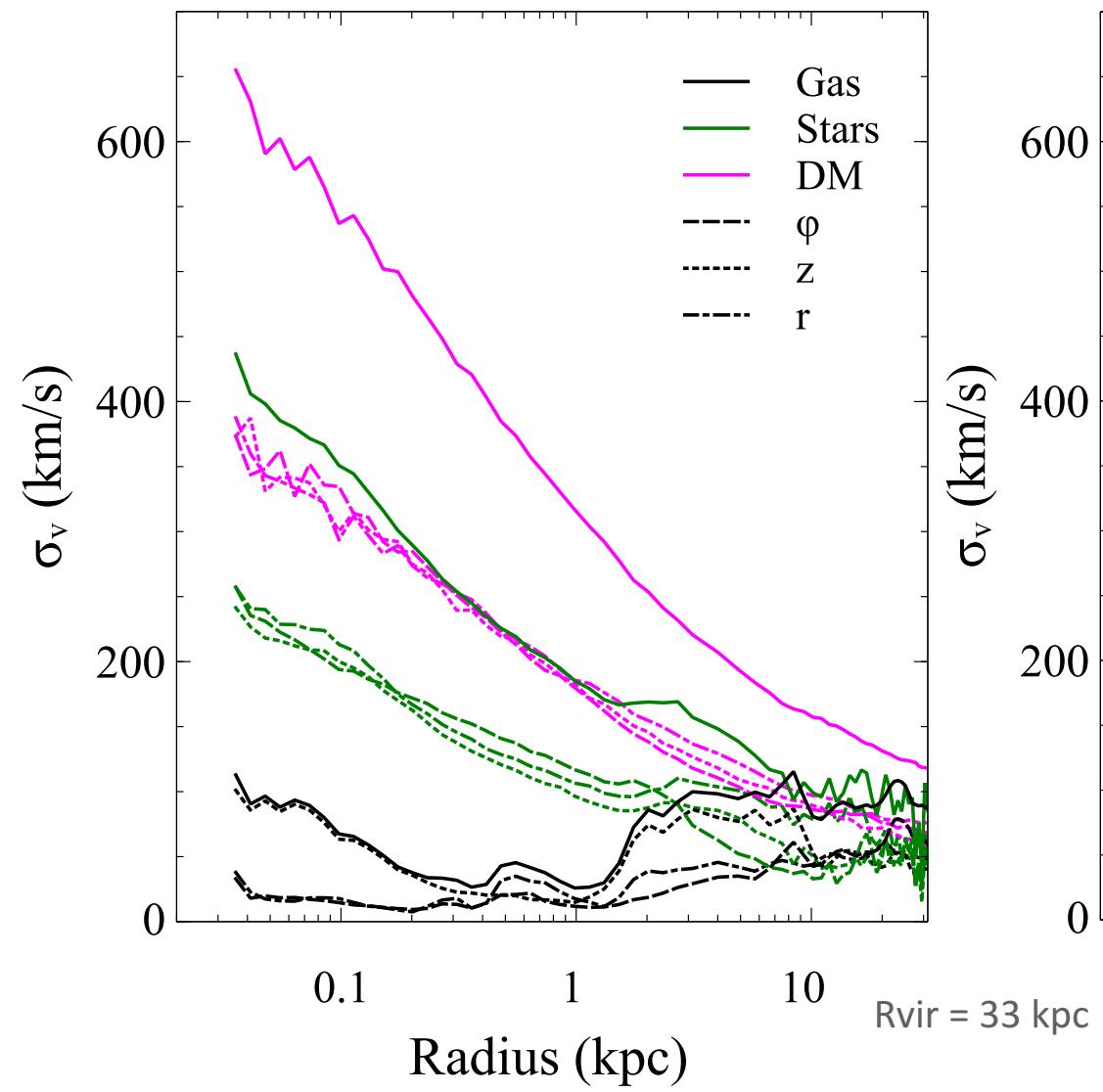


SF2

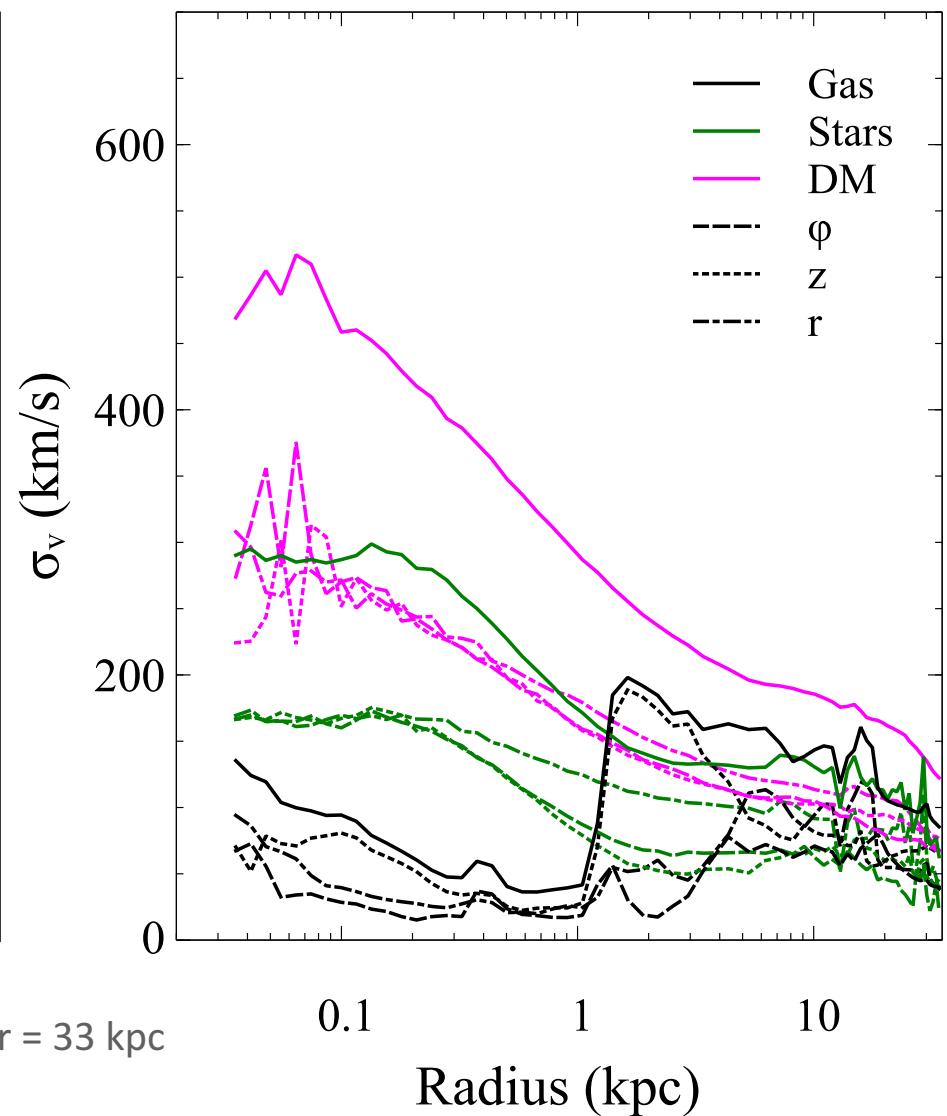


Galaxy velocity dispersions @ z=3

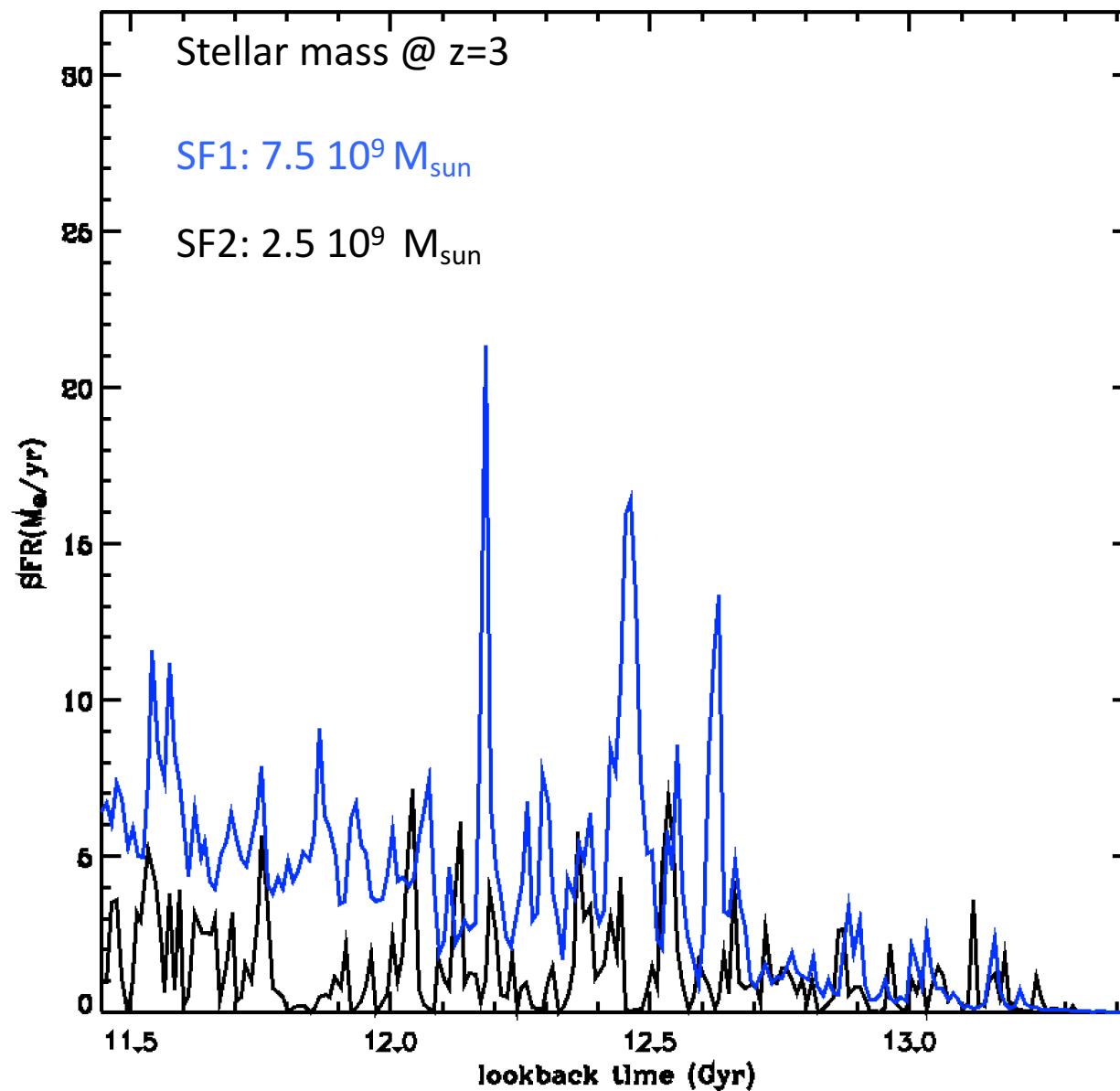
SF1



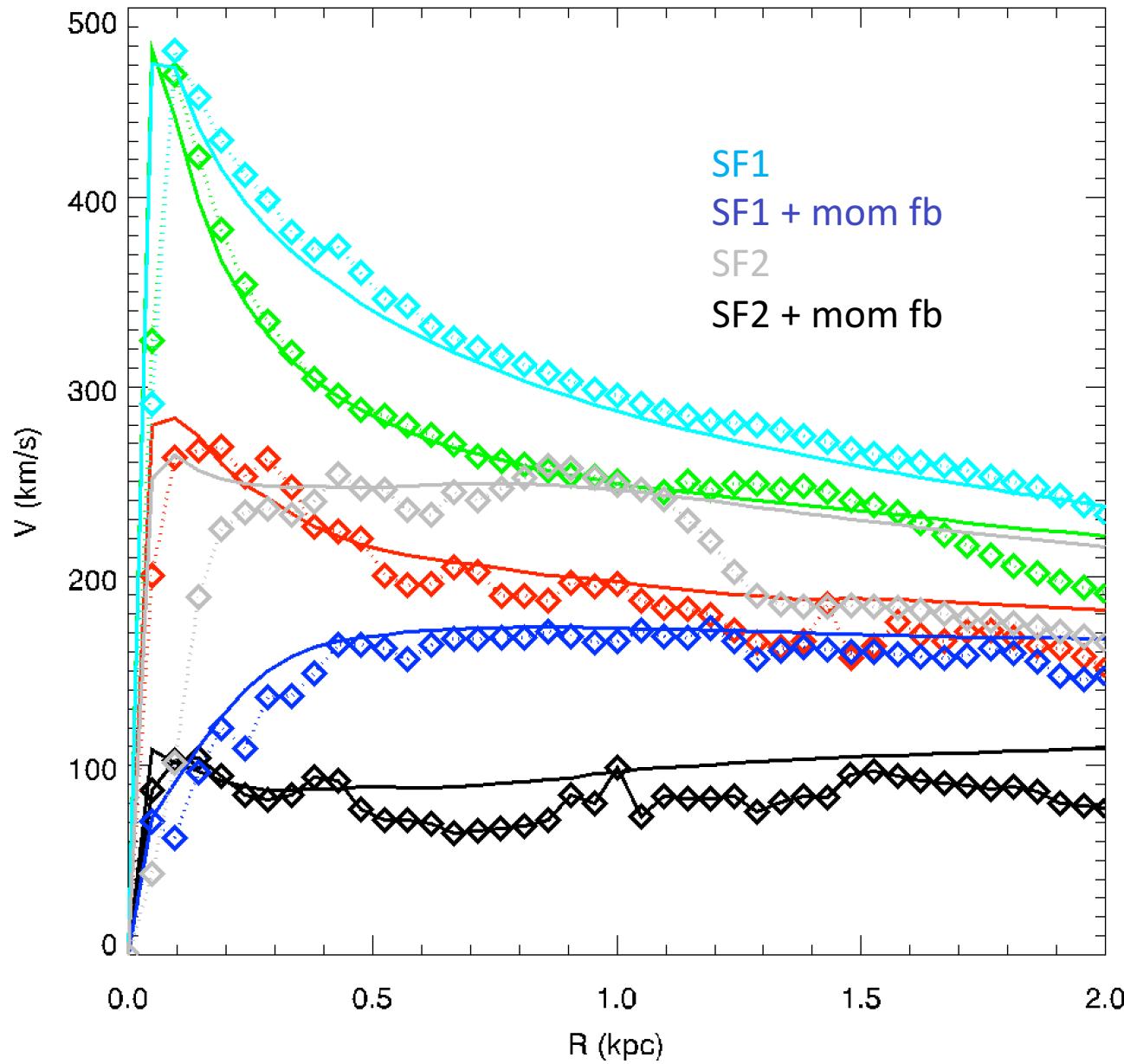
SF2



What if we add same (momentum) stellar feedback to SF1 & SF2?



Impact of SF + Feedback on galaxy rotation curves @ z=3



Conclusions

Good news is that we have (finally) entered an era where numerical resolution allows us to (partially) resolve the turbulent ISM in cosmological zoom simulations of galaxies (scale height of the disc)

Bad news is we need to revisit sub-grid models to take advantage of it, and in particular the way we form stars in these simulations

Turbulence driven star formation alone has potentially non trivial consequences for the dynamics of the central region of galaxies (e.g. important suppression of the peak of the rotation curve)

When coupled to stellar feedback, such changes can become dramatic, with up to a factor 3 suppression of the stellar mass when a simple SN momentum injection model is considered