

Matter distribution and scaling laws in clusters of galaxies

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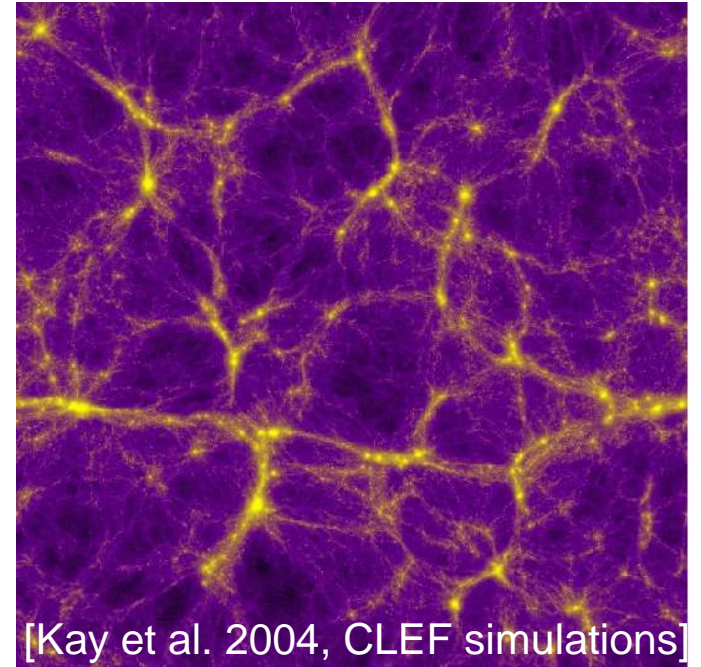
Monique Arnaud (Sap/CEA), Gabriel Pratt (MPE)

Overview

- Studying galaxy clusters
- Structural properties of clusters
- From X-ray observations to scientific products
- The DM properties
- The ICM properties
- Conclusion & perspectives

Studying clusters of galaxies

- What are clusters of galaxies?
 - nodes of the cosmic web
filamentary structures
 - mass growth by constant
accretion and mergers events
 - largest virialized structures



Studying clusters of galaxies

- What are they made of?

$$M_{\text{tot}} \sim 10^{13} - \text{a few } 10^{15} M_{\text{sol}}$$

→ DM ~80%

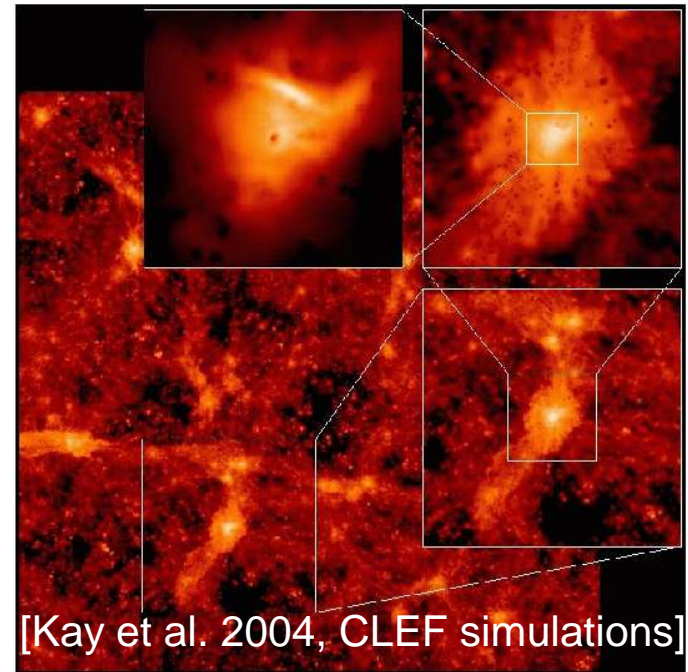
→ galaxies ~5%

→ gas ~15%

$$T \sim 10^6 - 10^8 \text{ K} ; n_e \sim 10^{-4} - 10^{-2} \text{ cm}^{-3} ; Z \sim 0.3 Z_{\odot}$$

complex physical processes at play in the ICM

Giant laboratories for astrophysical processes



Studying clusters of galaxies

What for ?

- Cosmology

- cluster counts, mass function $N(M,z) \rightarrow (\Omega_m, \sigma_8, \Gamma)$

- gas fraction $f_{\text{gas}} \rightarrow \Omega_m$

- Physics of structure formation and evolution

- DM collapse

- non-gravitational processes , gas physics

Studying clusters of galaxies

- Cluster counts, clusters abundance

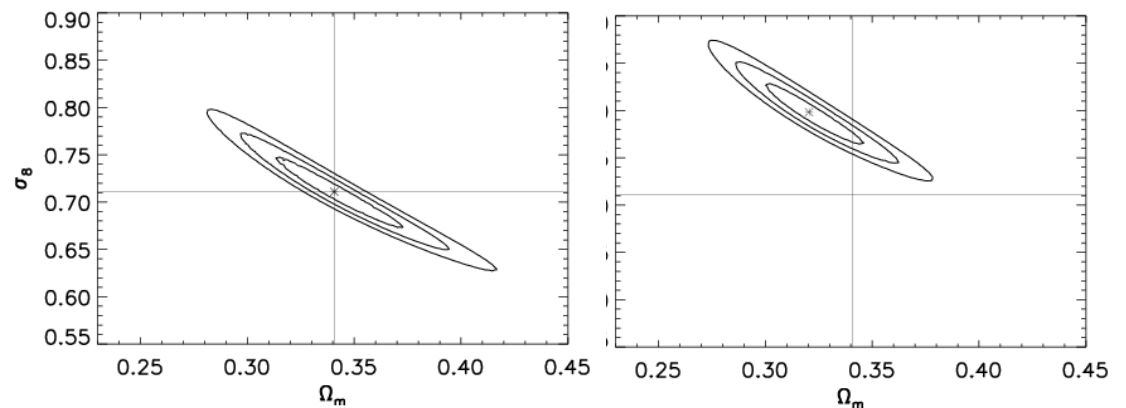
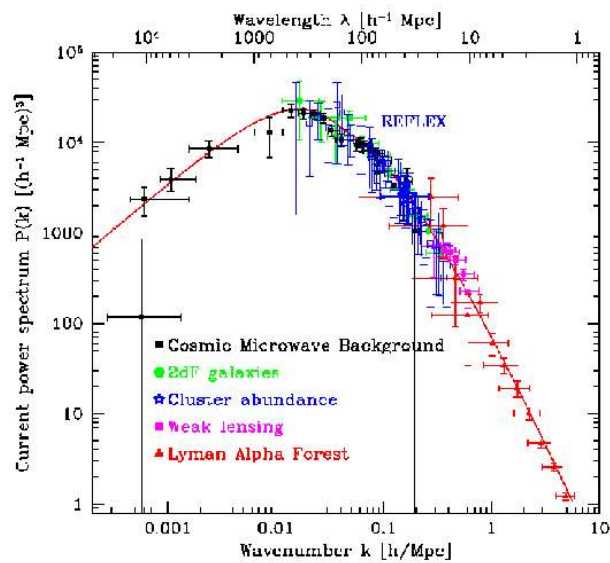
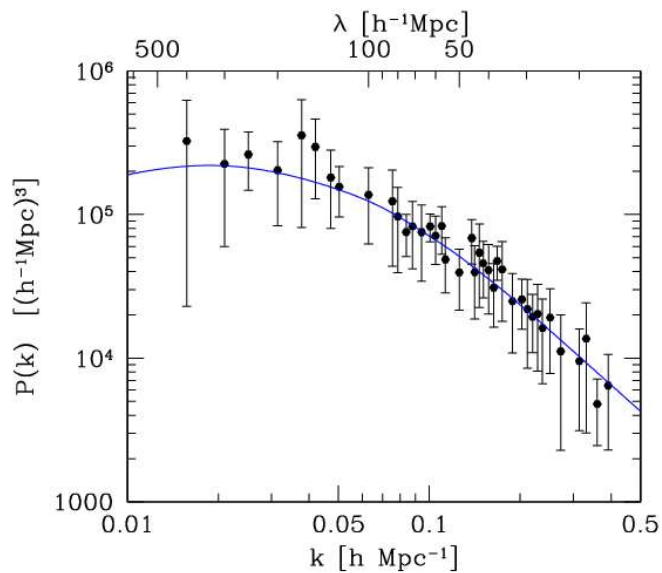
→ normalization of $P(k)$

$$\sigma_8 = 0.76 \pm 0.10 \quad (\Omega_m = 0.3)$$

→ shape parameter of $P(k)$

$$\Gamma = \Omega_m h = 0.18 \pm 0.03$$

[Schuecker 2004]



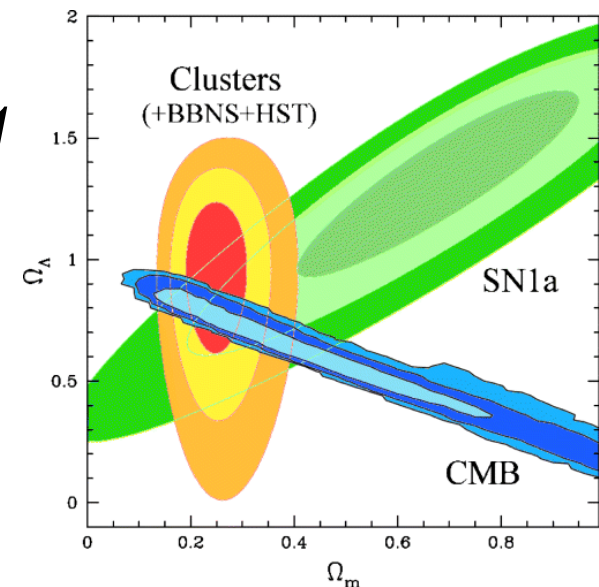
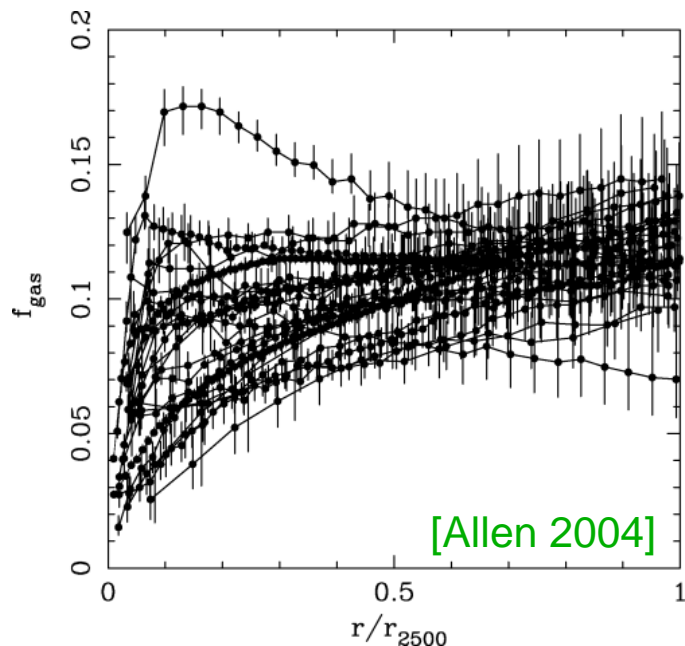
→ uncertainties : L_x -M relation

Studying clusters of galaxies

- Gas fraction : $f_g^{\text{amas}} \equiv f_b^{\text{Univers}}$ (?!?)

$$\rightarrow f_b h^{3/2} = \Omega_b / \Omega_m = (M_{\text{gaz}} + M_{\star}) / M_{\text{tot}} \approx 0.1$$

$$\text{avec } \Omega_b = \Omega_{\text{BBN}} \rightarrow \Omega_m = 0.3 \pm 0.1$$



- $f_g + \text{CMB} \rightarrow \Lambda\text{CDM} :$

$$\Omega_m = 0.26 \pm 0.05$$

$$\omega_X = -1.26 \pm 0.24$$

→ Complementary constraints to the CMB and the SNIa

Studying clusters of galaxies

What for ?

- Cosmology

- cluster counts, mass function $N(M,z) \rightarrow (\Omega_m, \sigma_8, \Gamma)$

- gas fraction $f_{\text{gas}} \rightarrow \Omega_m$

- Physics of structure formation and evolution

- Physics of the DM collapse

- non-gravitational processes , gas physics

Studying clusters of galaxies

- Statistical properties of clusters

→ Physical parameters

$L_{\text{bol}} \sim 10^{41}$ - a few 10^{46} ergs/s

$M_{\text{tot}} \sim 10^{13}$ - a few $10^{15} M_{\odot}$

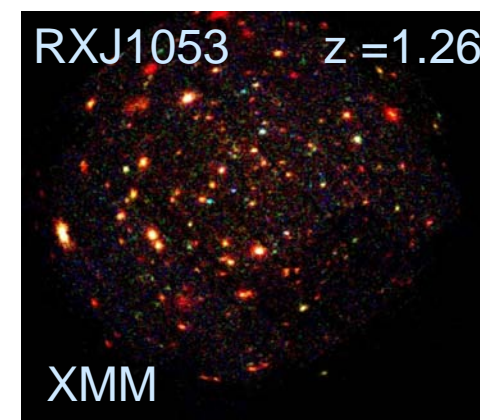
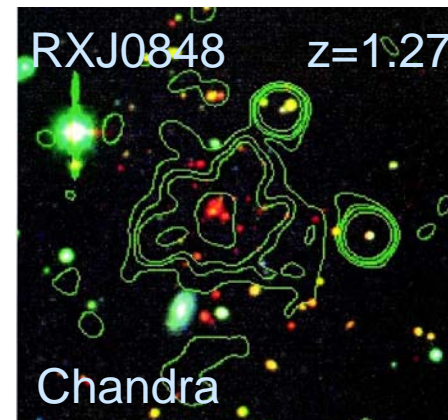
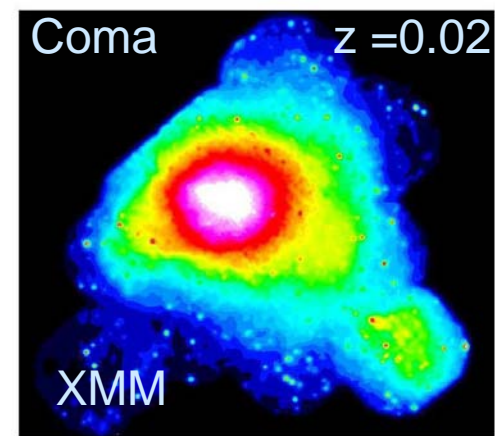
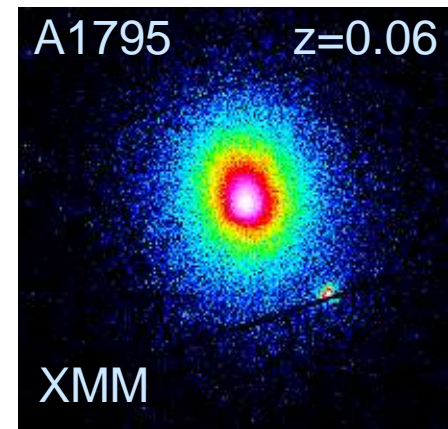
$T \sim 0.3$ - 15 keV

→ At least up to $z \sim 1.5$

→ Morphology:

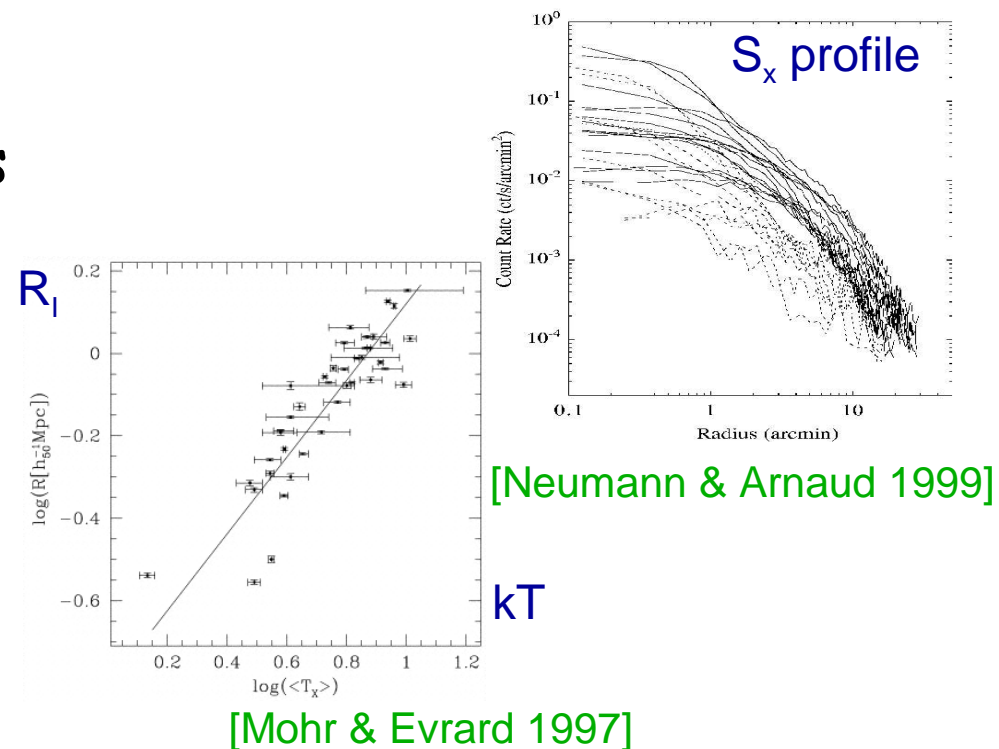
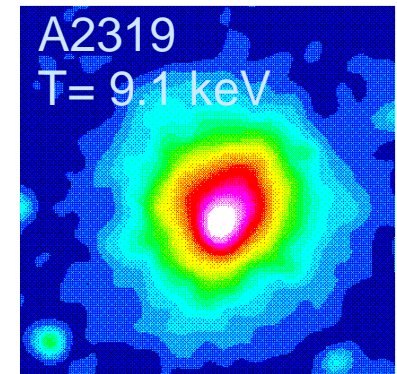
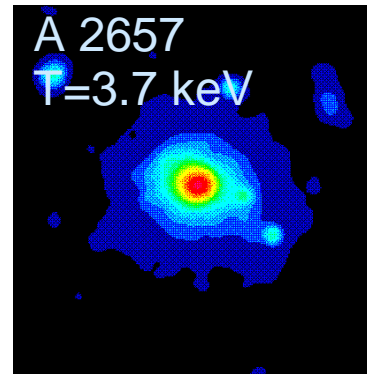
regular ($\sim 50\%$)

\neq dynamical states at every z



Studying clusters of galaxies

- Signs of similarity
- Correlations
- Formation et evolution of structures
 - DM collapse
 - non-gravitational processes
 - gas physics
 - DM/baryons coupling
 - sub-halos abundance
 - themodynamical evolution
 - ...



Structural properties of galaxy clusters

Hierarchical formation of structures

→ semi-analytical spherical collapse; numerical simulations

[Bertschinger 1985, Cavaliere et al. 1999; Evrard & Gioia 2002 (review)]

- Clusters form at a recent epoch ($z \sim 2$)
- ICM evolving in the *gravitational* well of the DM

$$\rightarrow f_{\text{gas}} = \text{cst}$$

- The virialized part at $z \rightarrow$ fixed density contrast $\delta \sim 200$

$$\rightarrow M/R^3 = 4\pi/3 \delta_c \rho_c(z), \quad \delta_c \sim 200 \quad (\text{with } \rho_c(z) = h(z)^2 (3H_0^2)/(8\pi G))$$
$$h(z)^2 = \Omega_m(1+z)^3 + \Omega_\Lambda$$

- Are close to virial/hydrostatic equilibrium

$$\rightarrow kT \propto GM/R$$

Self-similarity is expected from the cluster population

Structural properties of galaxy clusters

Clusters properties of similarity

- **Similarity of shape**

→ universal shape of DM halos

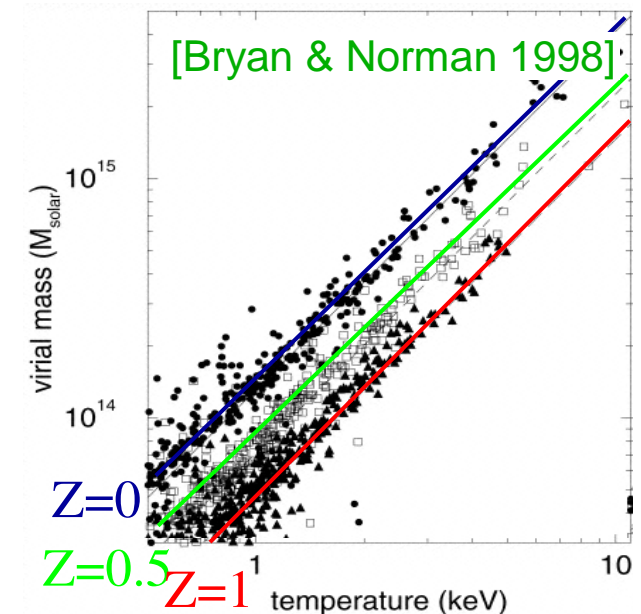
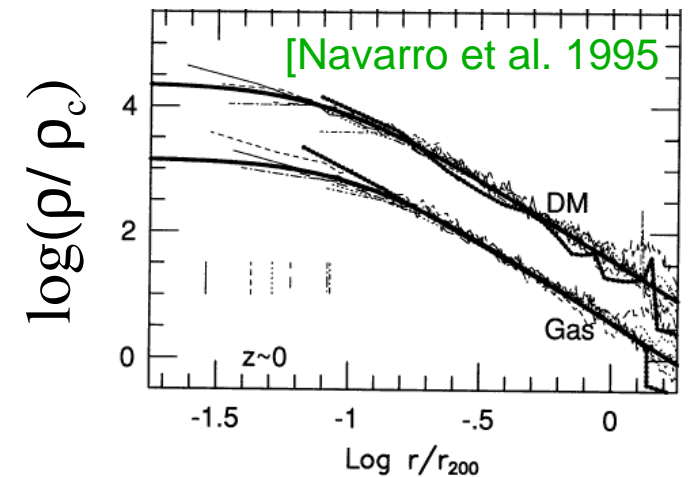
→ same internal DM (and thus gas) structure

- **Scaling laws:** correlations between physical quantities

→ $[z, M]: Q(z) = A(z) M^\alpha$

(or $[z, T]: Q(z) = B(z) T^\beta$)

→ $M_{tot} \propto T^{3/2} h(z)^{-1}$



Structural properties of galaxy clusters

On pre-XMM and Chandra era

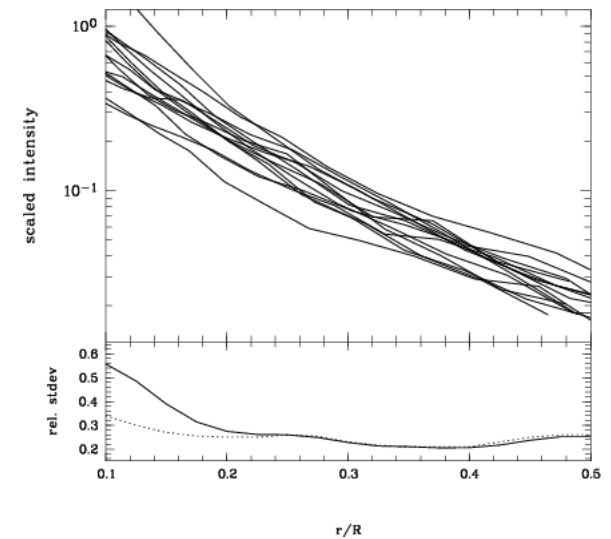
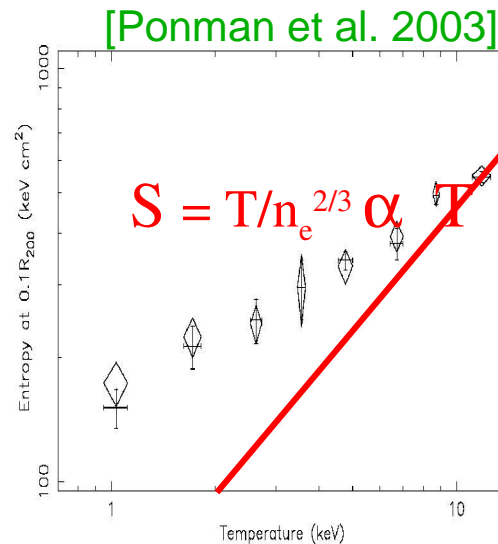
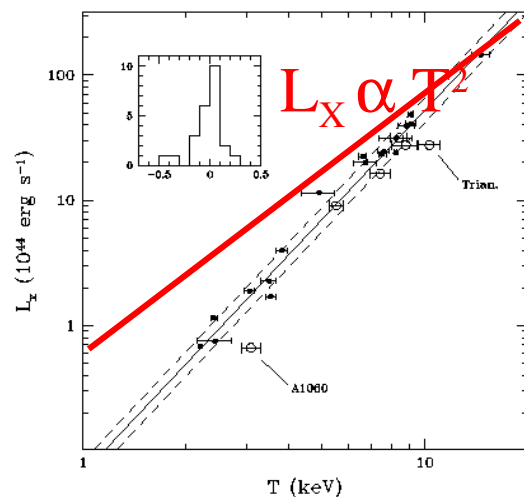
- Observed structural properties

Signs of self similarity

- Observed scaling laws

$$L_X \propto T^{-2.8-3}$$

$$S \propto T^{-0.65}$$



[Neumann & Arnaud 2001]

Departures from the expectations not well understood

Structural properties of galaxy clusters

Theoretical considerations

- Effect of the gas physics on structure formation

Non-gravitational processes

→ preheating (→ entropy excess)

[Tozzi & Norman 2001]

→ radiative cooling of the gas

→ feedback from the galaxy formation

(heating by SN & AGN)

[Borgani 2004, Kay 2004]

Structural properties of galaxy clusters

Do we understand correctly the DM collapse?

- What is the shape of the gravitational potential in clusters ?

What is the thermodynamical state/history of the gas?

- Do we face a break of similarity?
- Or is it a modified similarity?

Structural properties of galaxy clusters

- The **structural properties** of clusters
- The **scaling properties** of clusters

are **fundamental tools** and **rich sources of information** to

- Use **clusters as cosmological tools**
- Study **structure formation and evolution**

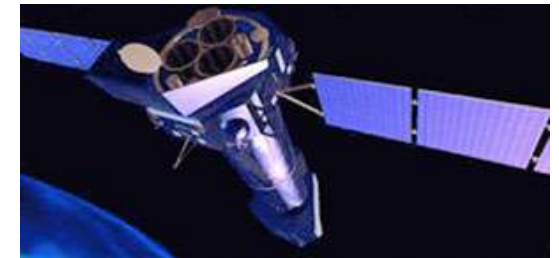
In such studies the key quantities are:

the **mass** and the **entropy**

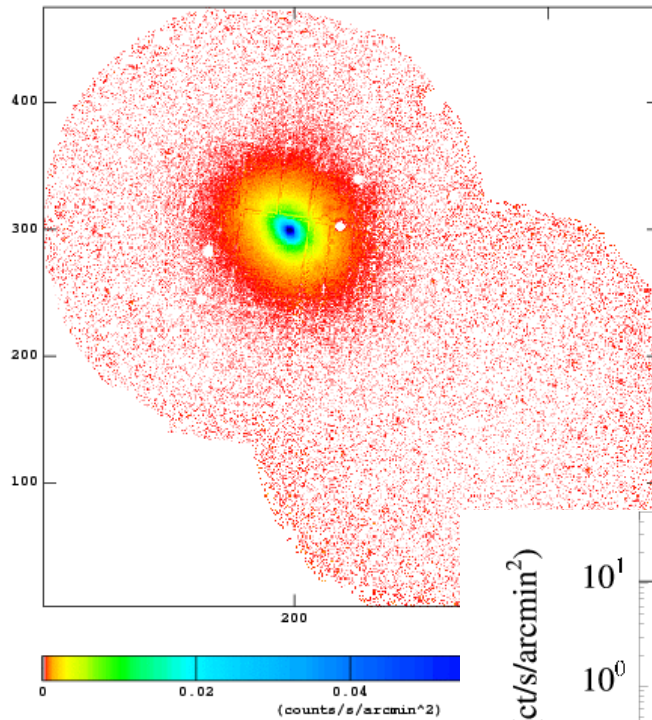
Structural properties of galaxy clusters

Observational study

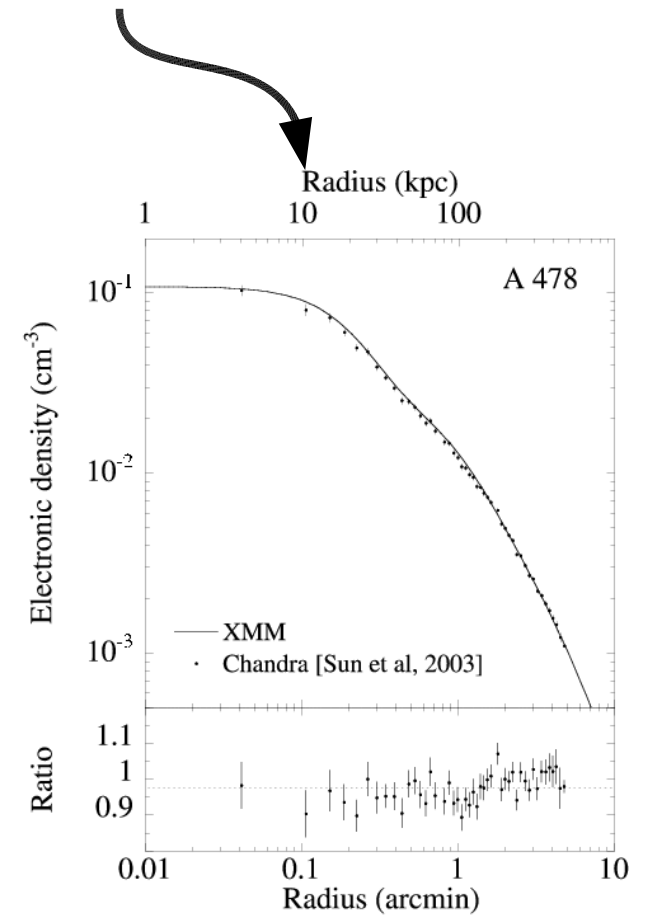
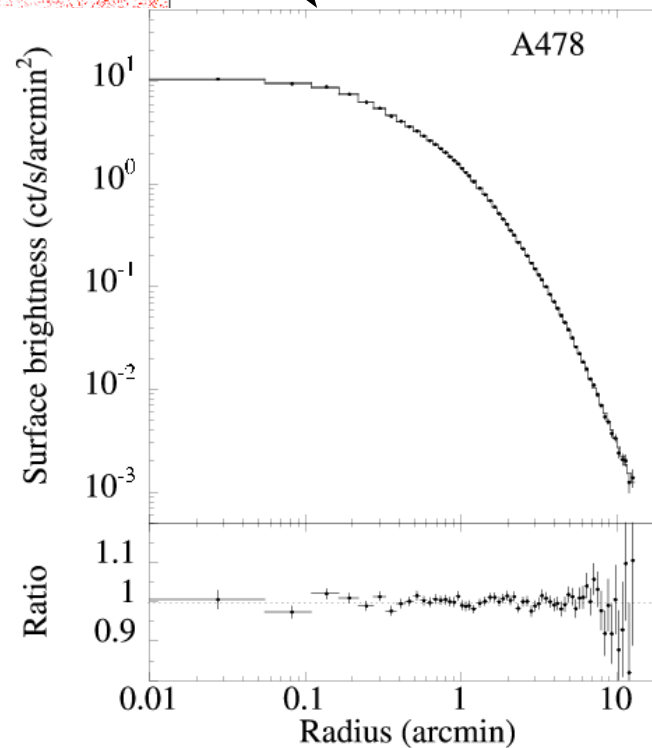
- XMM GT time + AO1 time + archives
- The sample :
 - 10 relaxed and nearby clusters ($z < 0.15$)
 - Temperature range : [2-9] keV
 - $kT < 3$ keV : 4 clusters
 - $3 < kT < 6$ keV : 2 clusters
 - $kT > 6$ keV : 4 clusters
 - Λ CDM ($h=0.7$, $\Omega_m=0.3$, $\Omega_\Lambda=0.7$)



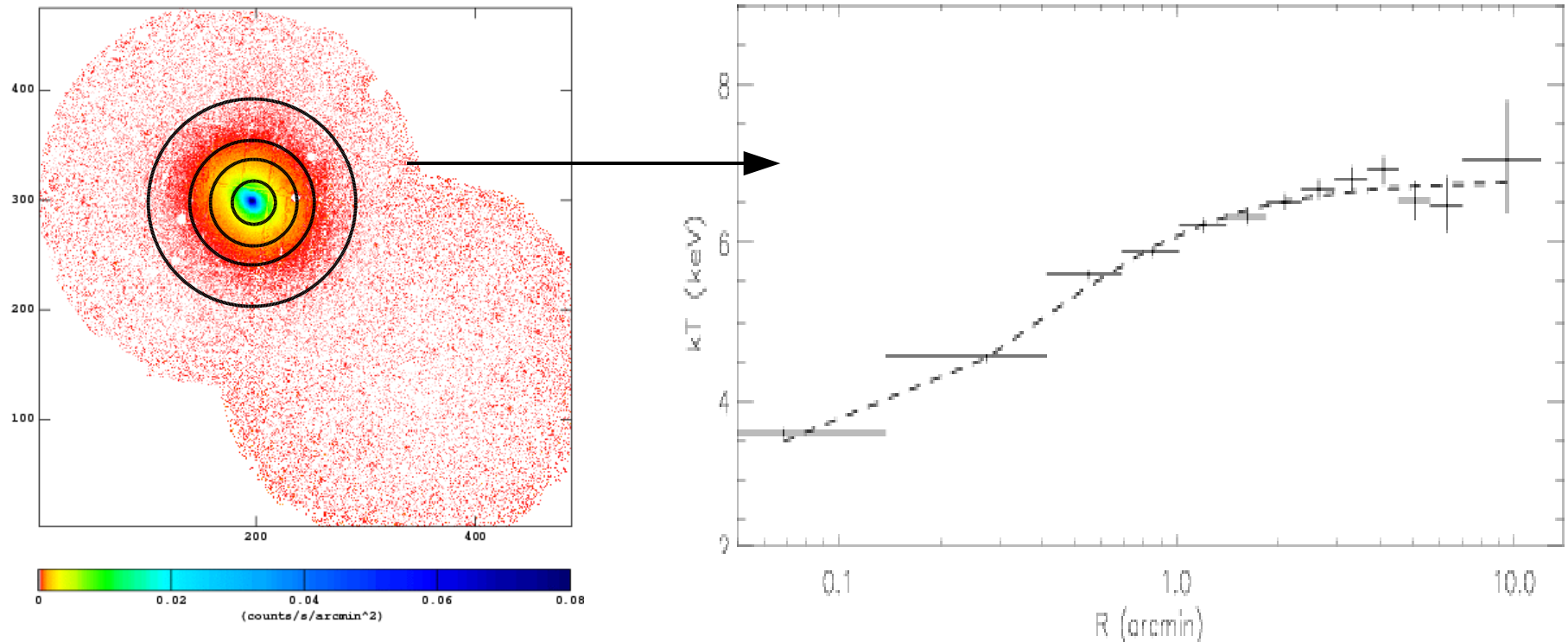
From X-ray observations to scientific products



- 1 - Azimuthally averaged SB profile
- 2 - Parametrized density profile

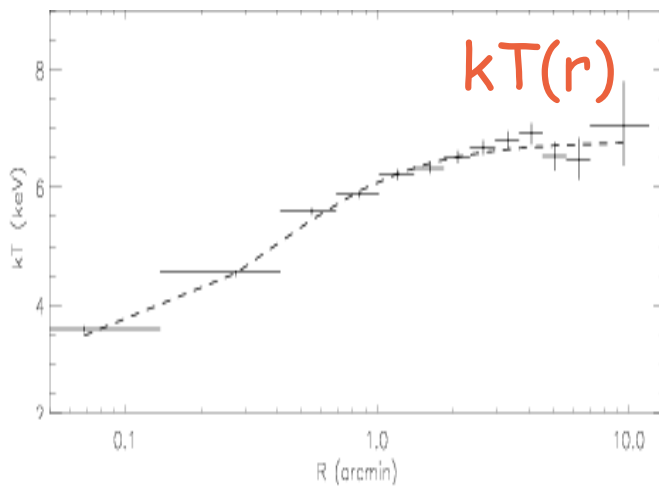
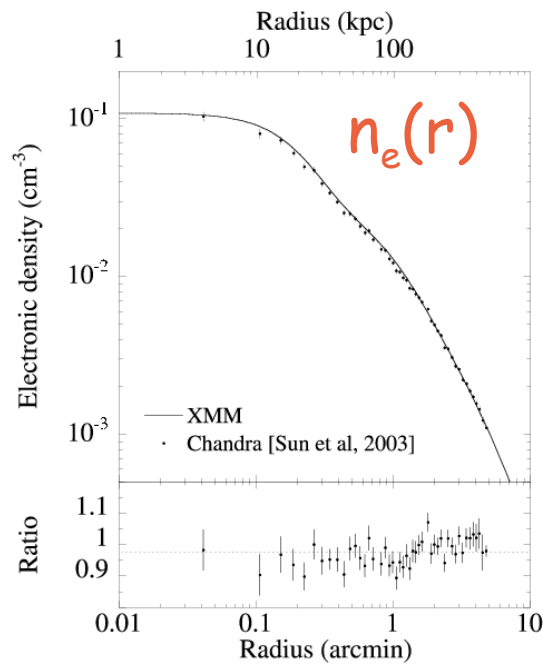


From X-ray observations to scientific products



- Spectroscopy
→ $kT(r)$
- Deprojection & PSF correction (→ $kT(r)$ parametrization)

From X-ray observations to scientific products



- Total mass profile
 - spherical symmetry
 - hydrostatic equilibrium

$$M(r) = -\frac{kT}{G\mu m_p} \left[\frac{d \ln n_e}{d \ln r} + \frac{d \ln T}{d \ln r} \right]$$

- Central structure: cold front, ghost cavities, bubbles, bow shocks, ...
 - track departure to HE
 - cut the central region
- Test DM models

$$\text{(e.g. NFW } \rho_{\text{DM}} \propto (r/r_S)^{-1} [1 + (r/r_S)]^{-2} \text{)}$$

From X-ray observations to scientific products

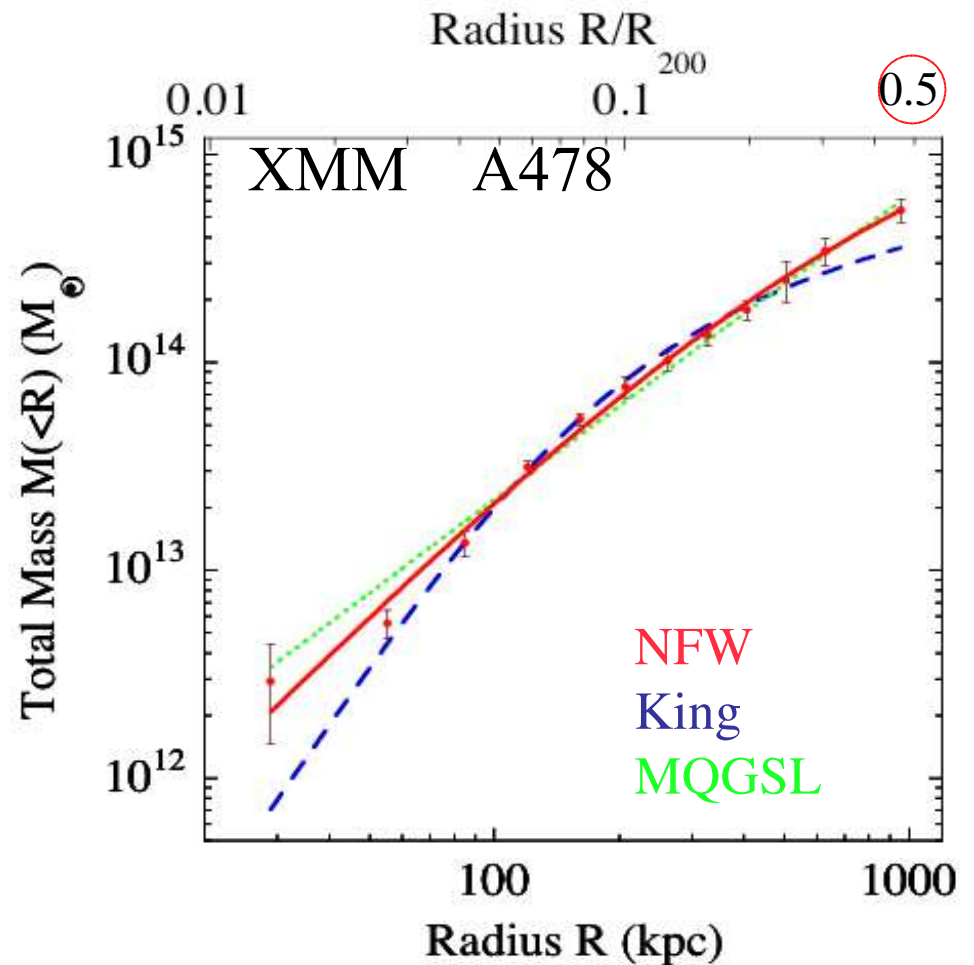
A478

→ $M(r)$ over $0.01-0.5 R_{200}$

→ NFW

significantly preferred

[Pointecouteau et al. 2005]



Properties of the DM

Properties of the DM:
The shape of the mass profile
The M-T relation

Properties of the DM

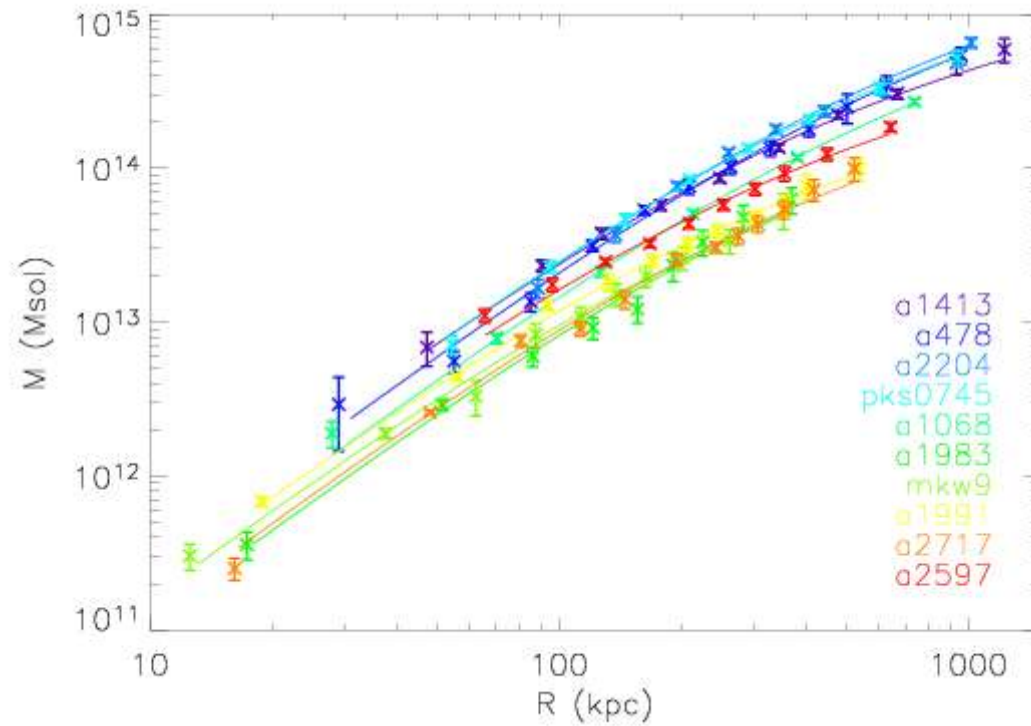
- Best fit results

Name	z	kT (keV)	c	M ₂₀₀ (10 ¹⁴ M _{sol})	R _{OBS} /R ₂₀₀
A2204	0.152	8.10	4.59	11.80	0.61
PKS0745	0.103	7.61	5.12	10.03	0.57
A478	0.088	6.66	4.22	10.82	0.58
A1413	0.143	6.60	5.82	6.50	0.79
A1068	0.137	4.56	3.69	5.68	0.57
A2597	0.143	3.52	5.86	3.00	0.58
A1983	0.044	2.20	3.83	1.63	0.38
A2717	0.050	2.42	4.21	1.57	0.54
MKW9	0.038	2.44	5.41	1.20	0.41
A1991	0.056	2.62	5.78	1.59	0.60

→ covering [2-9] keV and [1-12] × 10¹⁴ M_{sol}

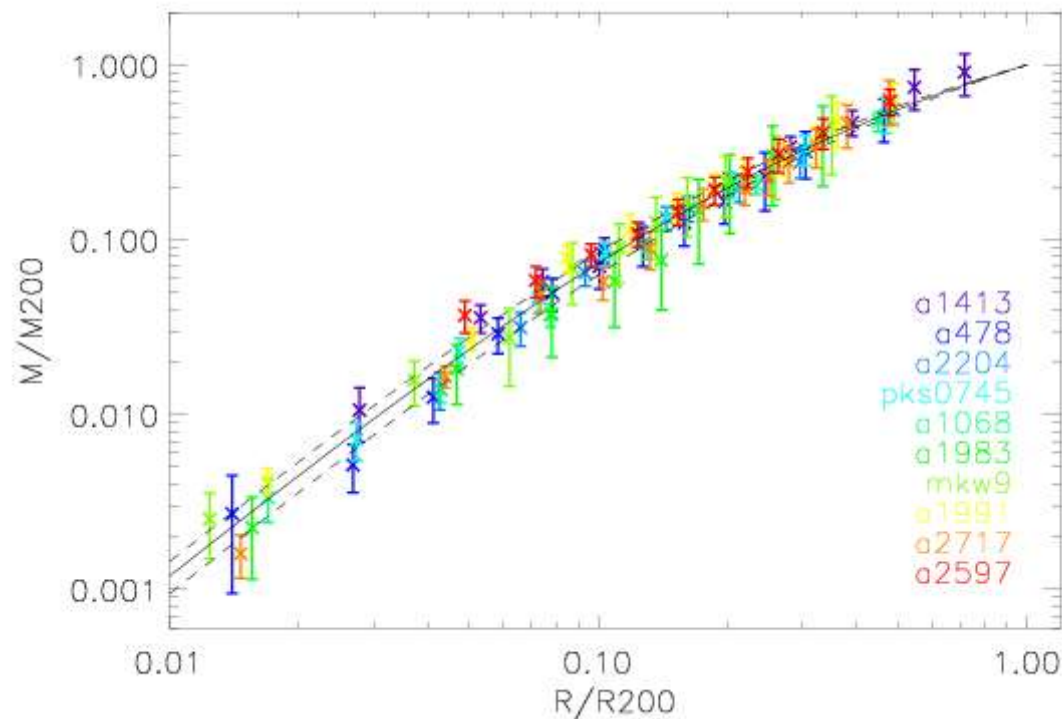
Properties of the DM

- Raw mass profiles



Properties of the DM

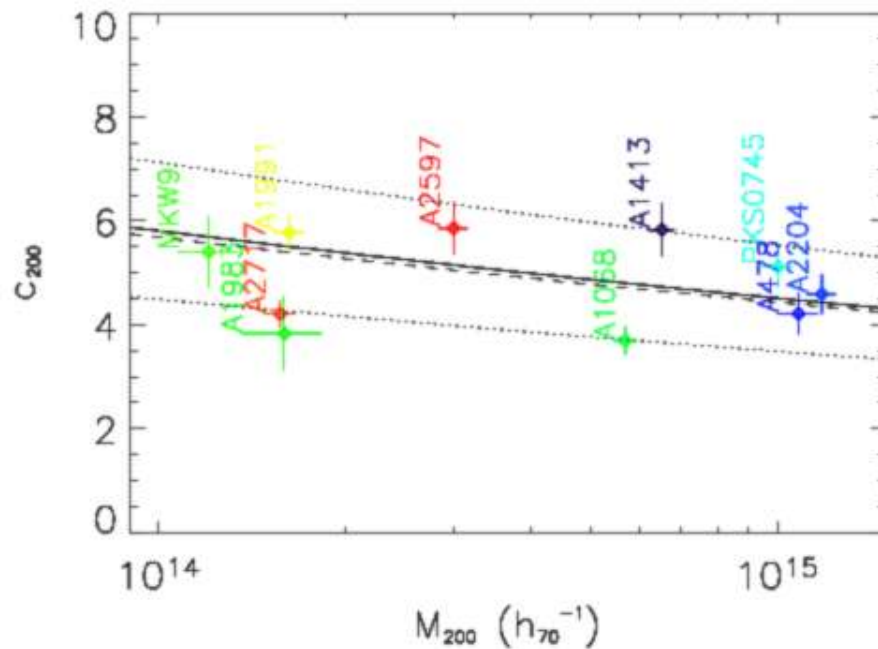
- Scaled mass profiles
- well described by a NFW profile from 0.01 to 0.5 R_{200}



The mass profiles are self-similar.
A universal mass profile is observed.

Properties of the DM

- Mass and concentration parameter
 - predicted dispersion in $c(M)$ [Zhao et al 2003, Dolag et al 2004]
(scatter in the formation epoch [Wechsler 2002])



Conforms to the theoretical predictions

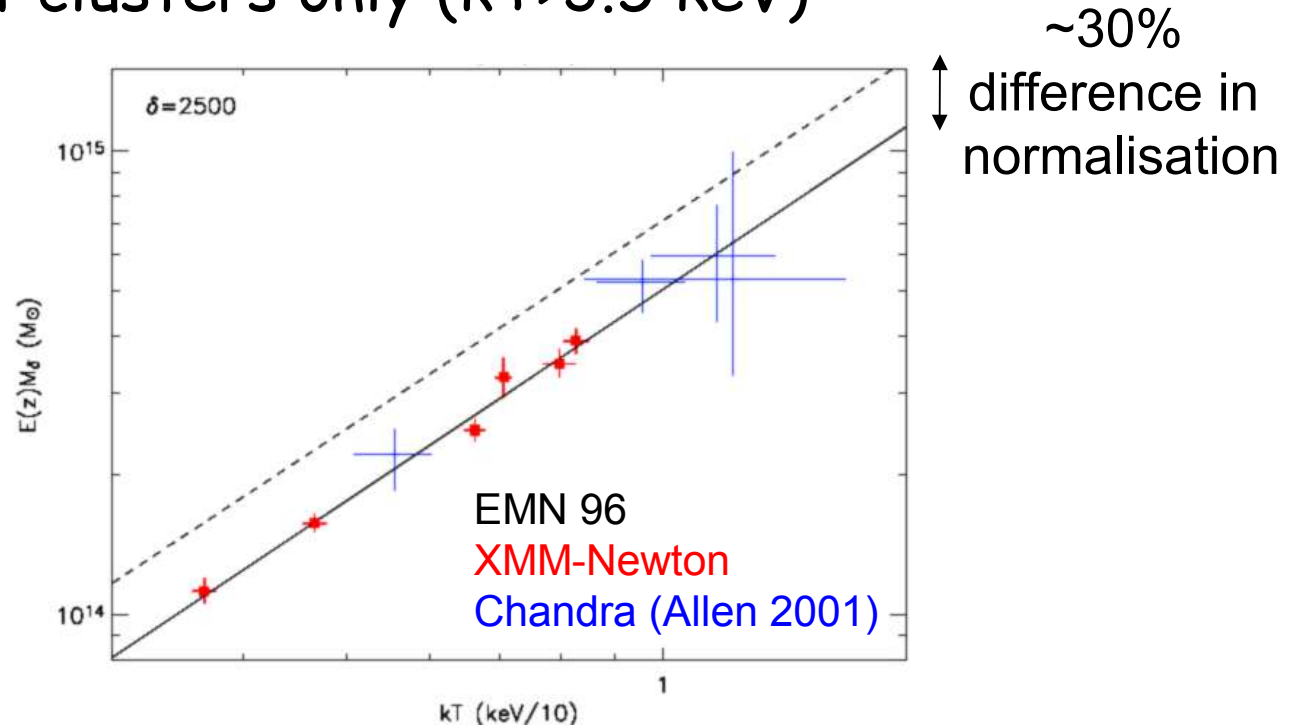
Physics of the DM collapse is pretty well understood

Properties of the DM

- Fitting the M-T relation
 - M_δ directly fitted on the mass profile
 - kT obtained from direct spectroscopy in $[0.1-0.5] R_{200}$
 - Linear regression: $\log M = A + B \log kT$
 - Errors on kT and M_δ taken into account

Properties of the DM

- The M-T relation at $\delta=2500$
→ hot clusters only ($kT > 3.5$ keV)

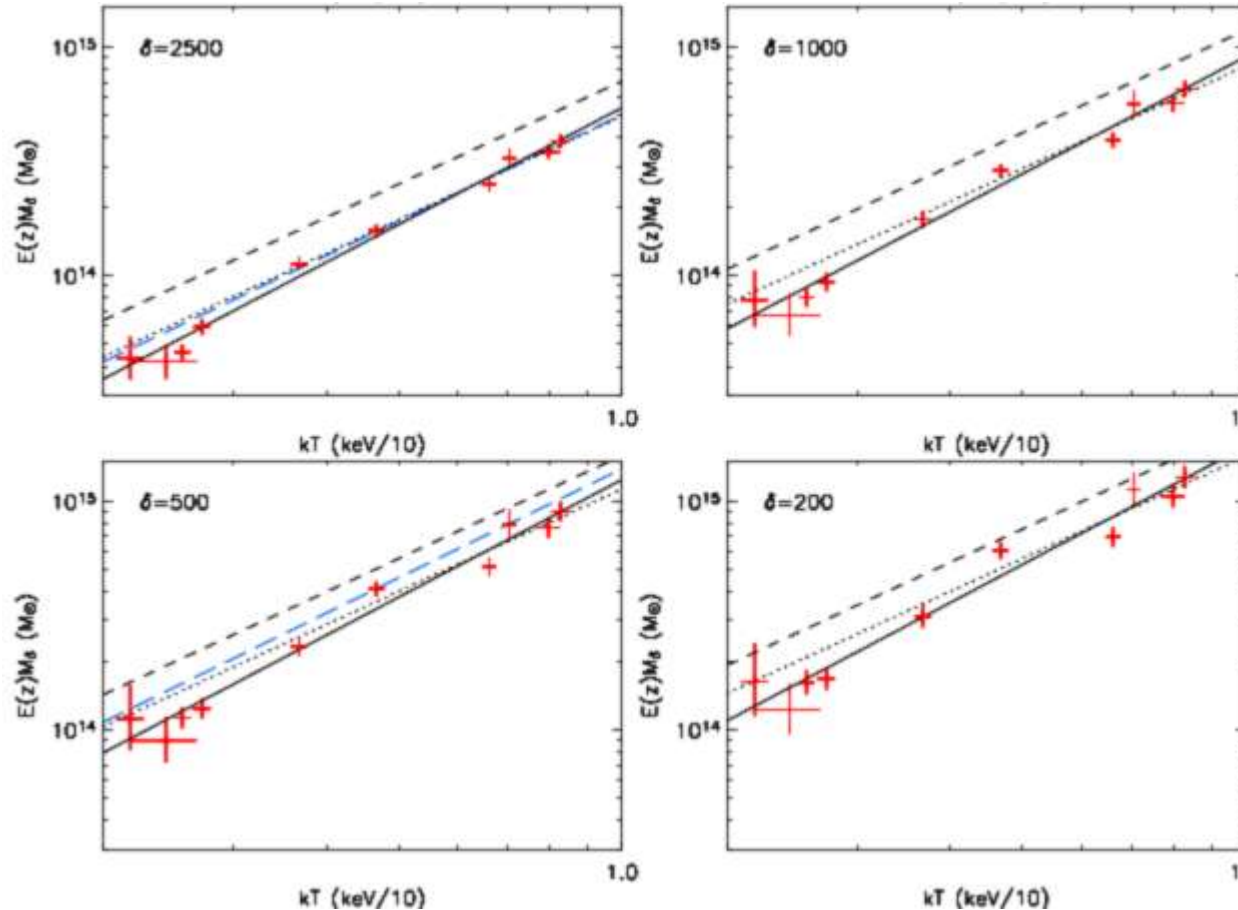


$$M_{2500} = 1.55 \times 10^{13} (kT)^{1.51 \pm 0.10} h_{70}^{-1} M_{sol}$$

Slope: conforms to the prediction of 1.5

Properties of the DM

- The M-T relation as seen by XMM-Newton



$$\Delta \delta$$

↓

$$M_\delta \propto T^{1.7}$$

Different slope (~1.7) but not at high masses (~1.5)

Normalization: improving but still differences with simu.

Properties of the ICM

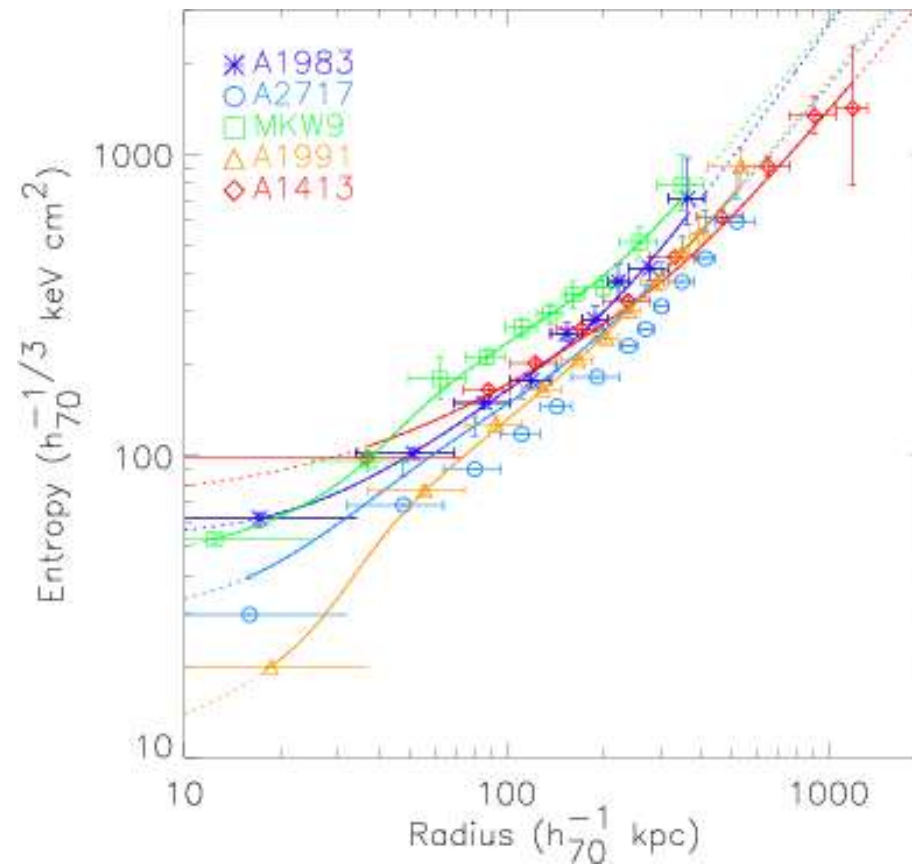
Properties of the ICM:

The entropy profiles and the S-T relation

Thermal state of the gas

Properties of the ICM

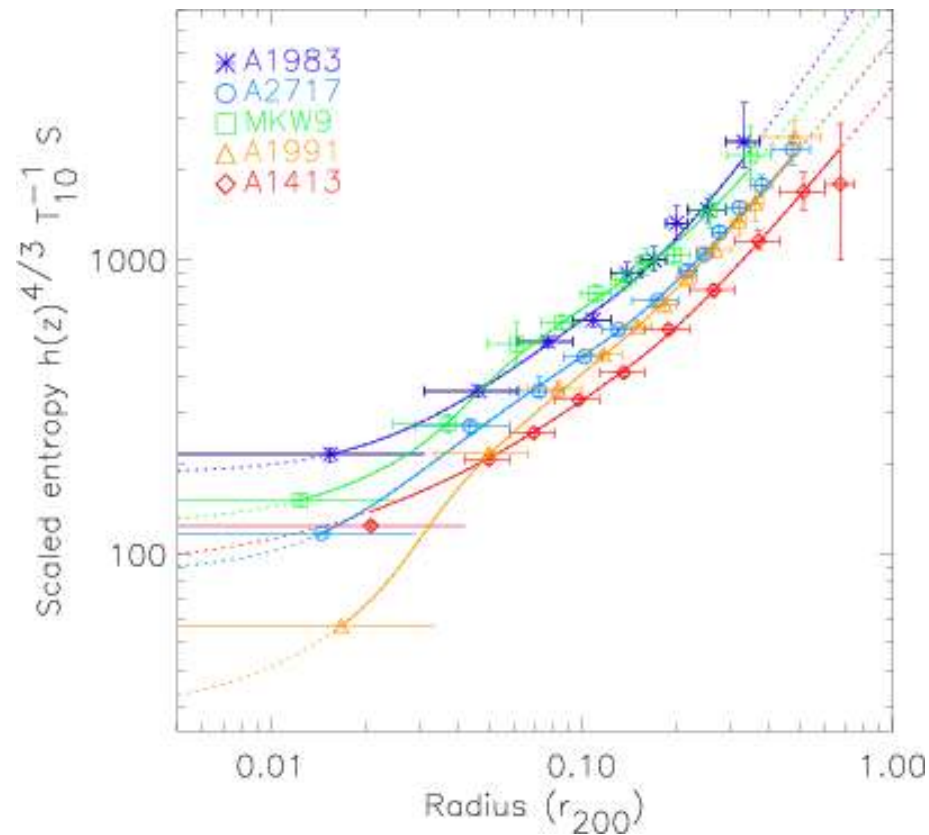
- Raw entropy profiles



[Pratt & Arnaud 2004]

Properties of the ICM

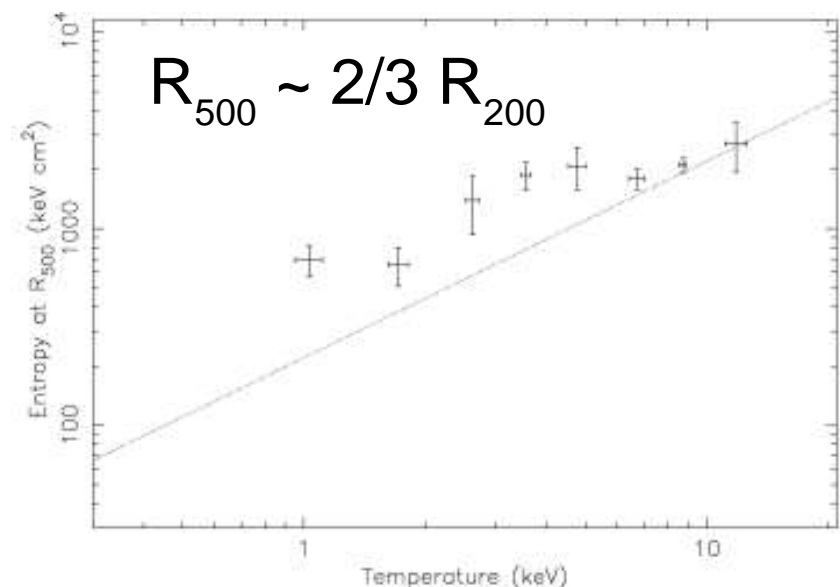
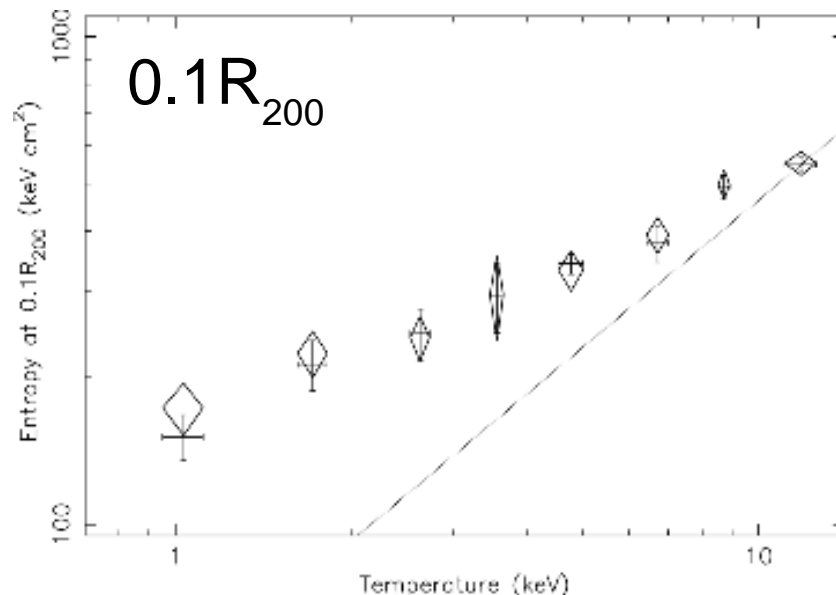
- Scaled entropy profiles: $S \propto T$



[Pratt & Arnaud 2004]

Properties of the ICM

- *S-T relation shallower than expected* [Ponman et al. 2003]
 - @ $0.1R_{200}$: $S \propto T^{0.65}$
- *Entropy excess up to large radii*
 - from low mass to high mass systems
 - Ⓢ at R_{500} : extrapolation of the parametric models for $n_e(r)$ and $kT(r)$

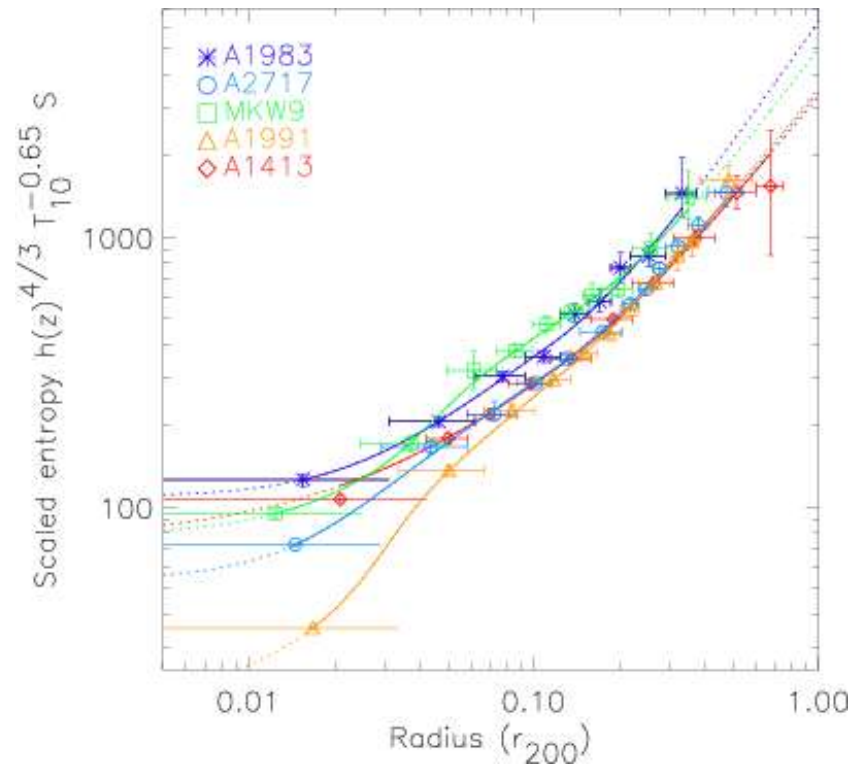


Properties of the ICM

- Scaled entropy profiles

$$S \propto T^{0.65}$$

[Pratt & Arnaud 2004]



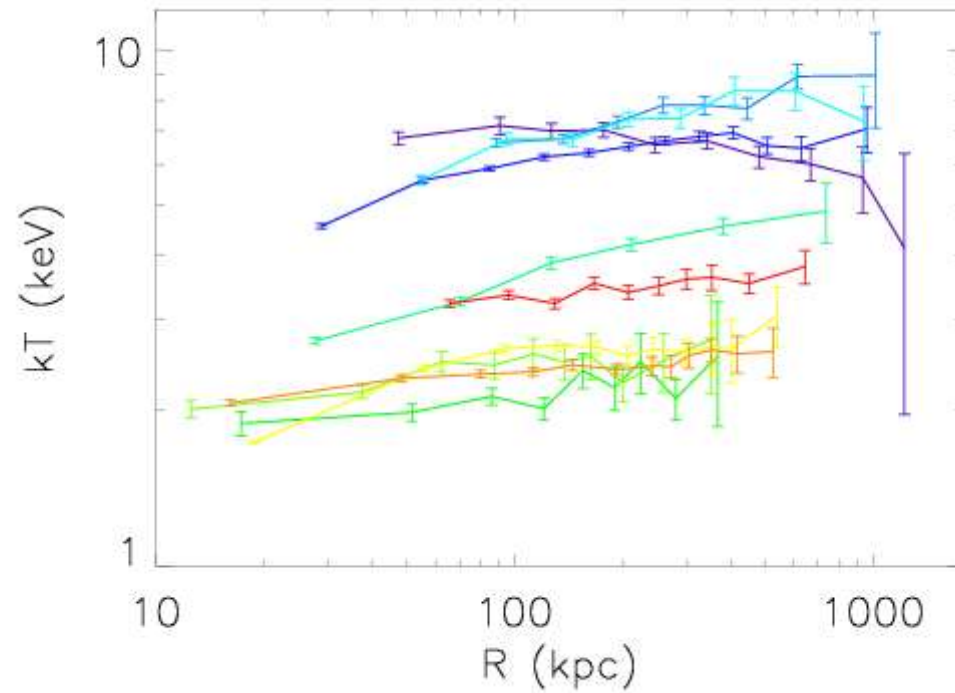
$$S_{2500}(0.1R_{200}) = 470 T^{0.65} (r / 0.1r_{200})^{0.94 \pm 0.14} h^{-4/3}(z) \text{ keV/cm}^2$$

→ in spherical shock accretion models: $r^{1.1}$ [Tozzi & Norman 2001]

Entropy profiles have a similar shape

Properties of the ICM

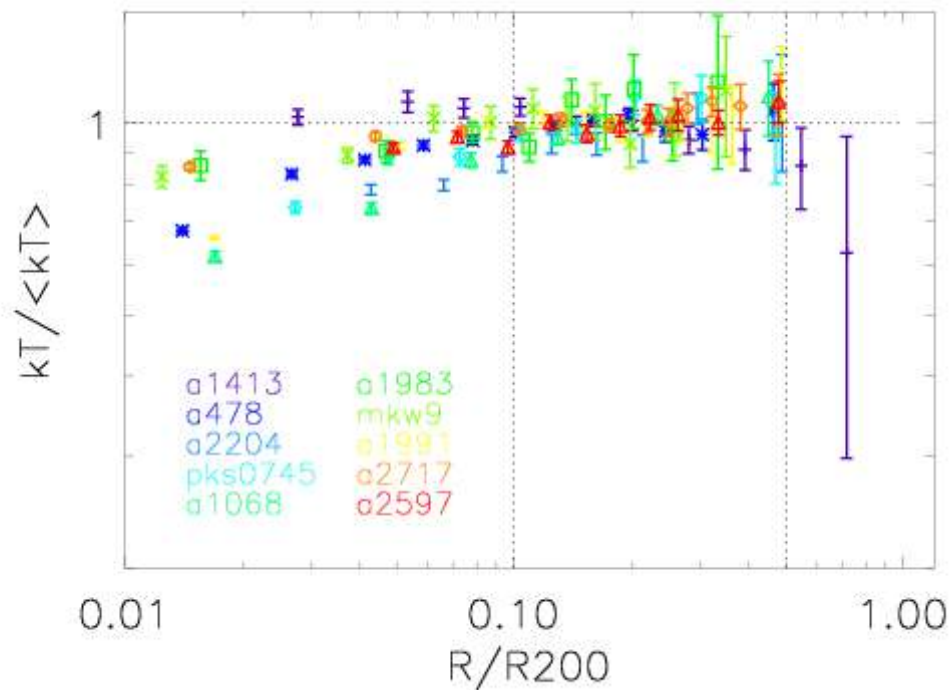
- Raw temperature profiles



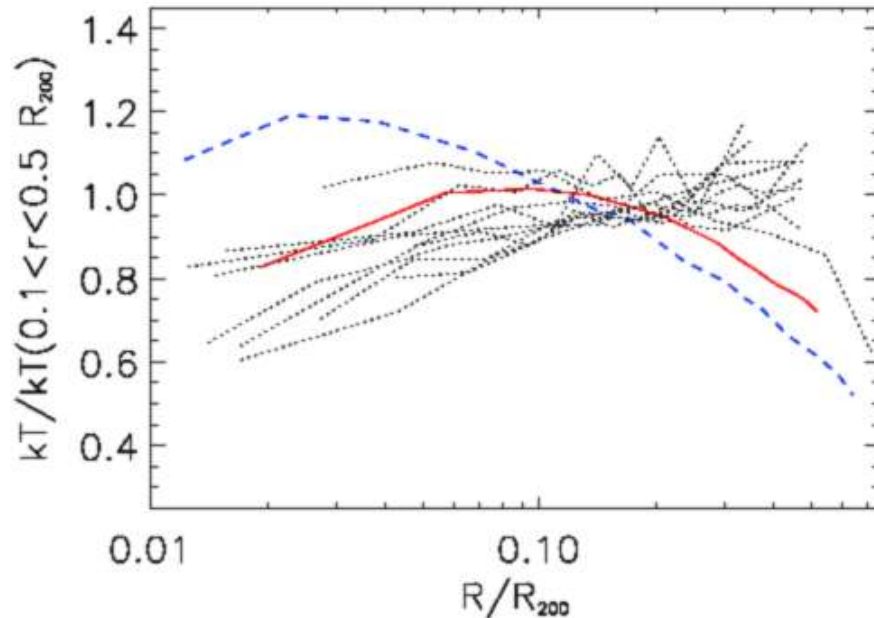
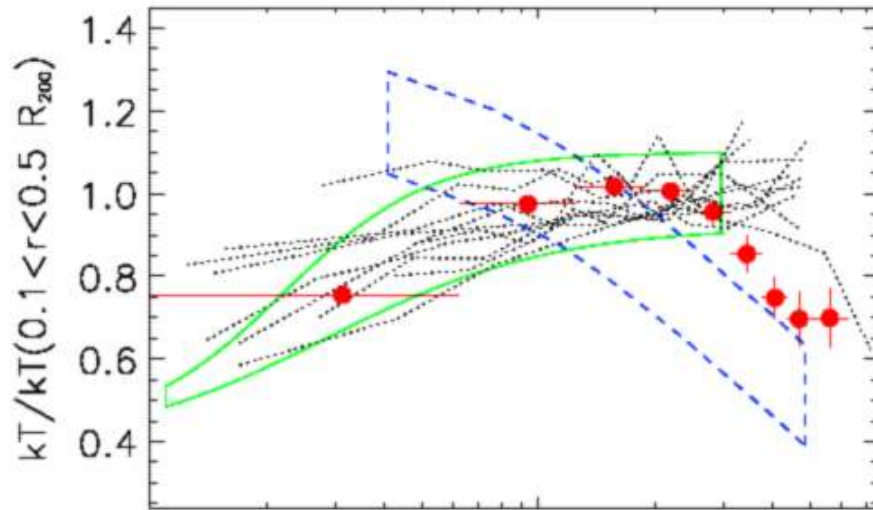
Properties of the ICM

- Scaled temperature profiles

→ $\langle kT \rangle$: spectroscopic temperature in $[0.1-0.5] R_{200}$



Properties of the ICM



- Comparison to previous observations

XMM-Newton (this work)

ASCA (Markevitch et al. 1998)

BeppoSAX (De Grandi & Molendi 2002)

Chandra (Allen et al. 2001)

- Comparison to simulations

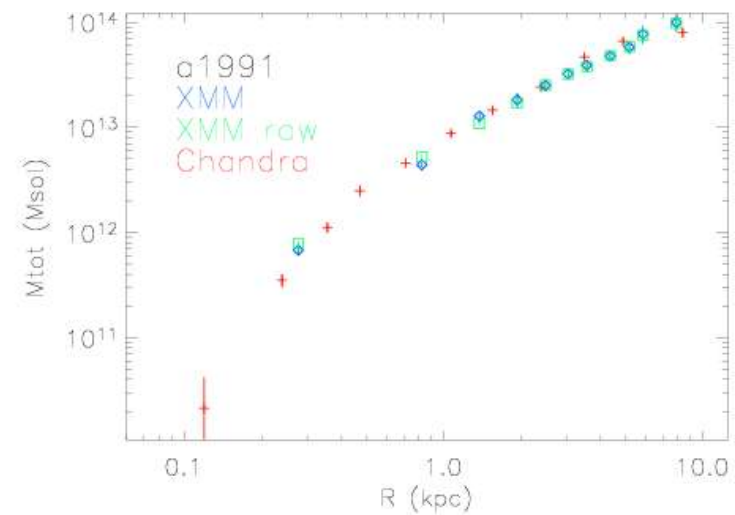
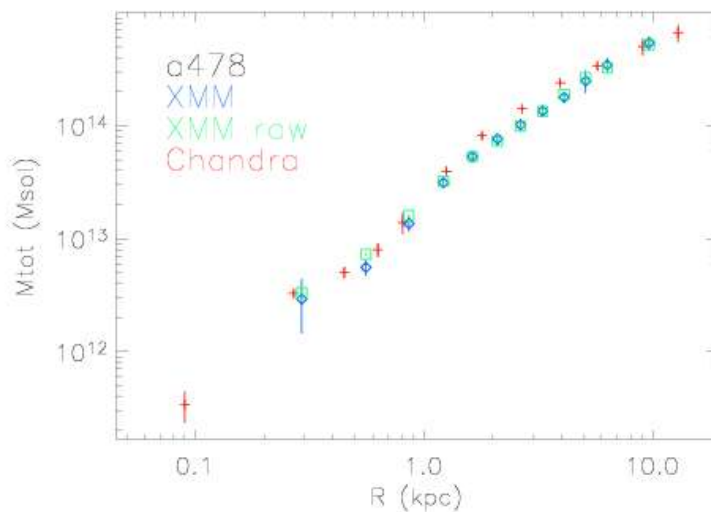
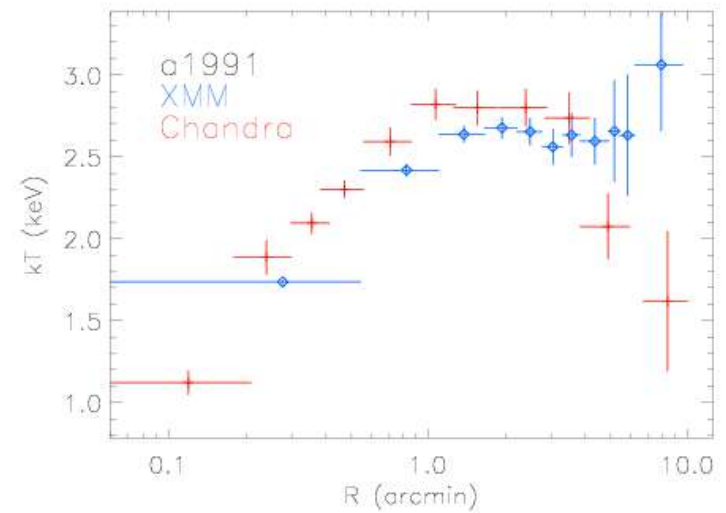
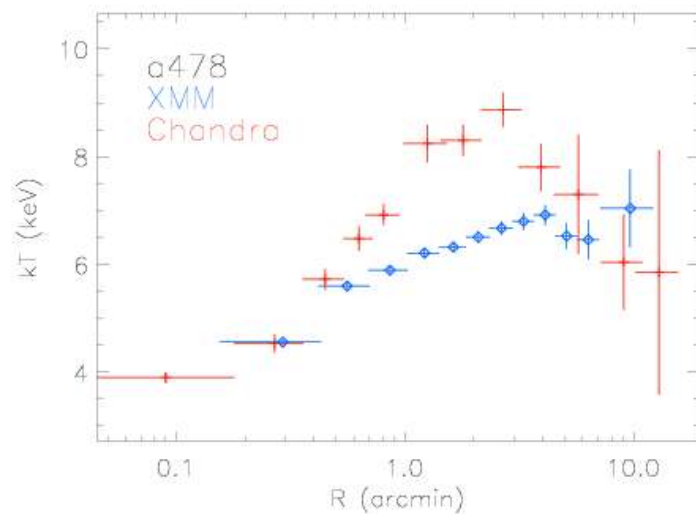
XMM-Newton (this work)

Borgani et al. 2004

Kay et al. 2004

Properties of the ICM

- Temperature profiles with XMM et Chandra



Summary and perspectives

Summary and Perspectives

Conclusion

- **Universality of the DM distribution** over $0.01-0.7 R_{200}$
 - fairly well described by a NFW whatever kT

Qualitative and quantitative validation of the DM collapse models
- **M-T relation: $M(\delta) \propto T^{1.7}$** whatever δ (obs. $\rightarrow 1000$; extr. $\rightarrow 200$)
 - slightly steeper than expected, normalization problem

Physics governing the gas is still not well understood

[Pointecouteau, Arnaud & Pratt (astro-ph/0501635),
Arnaud, Pointecouteau & Pratt (astro-ph/0502210)]

Conclusion

- The **entropy profile** up to $0.5 R_{200}$ **has a similar shape**

Ruled out simple preheating models (confirmed)

- Shallow S-T relation confirmed: $S_{2500} \propto T^{0.69}$

→ entropy excess at high radii observed

The gas thermodynamical evolution is not well understood

[Pratt, Arnaud & Pointecouteau (en préparation)]

Perspectives for SZ surveys

Coming SZ surveys

- Groundbased SZ surveys coming up:
 - Interferometric instruments: AMI, AMIBA, SZA
 - Single dish: ACT, SPT, OLIMPO, SuZIE-III, ACBAR, MITO, APEX-SZ
- Spacecraft
 - Planck Surveyor all sky survey
 - 9 photometric bands ($350\mu\text{m}$ -1cm)
 - ~40000 clusters awaited with $kT > 4\text{keV}$ (ΛCDM)

Perspectives for SZ surveys

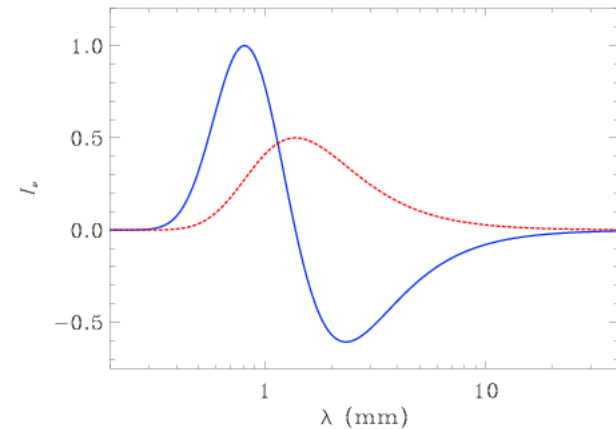
- SZ measurement

→ $F_{SZ} \propto Y \propto f_{gas} T M d_A^{-2}$

→ single λ : $F_{SZ} \propto Y$

→ multiple λ : Y, v_p, kT

[Pointecouteau et al. 1998, Aghanim et al. 2003, Hansen et al. 2004]



- Combined X/SZ spatial analysis

[Pointecouteau et al. 2002, Kitayama et al. 2004]

→ temperature (kT)

→ X-ray counter part for ~3% of Planck clusters

→ solution : **SZ scaling laws** $Y-M$ ($Y-T, M-T$)

Perspectives for SZ surveys

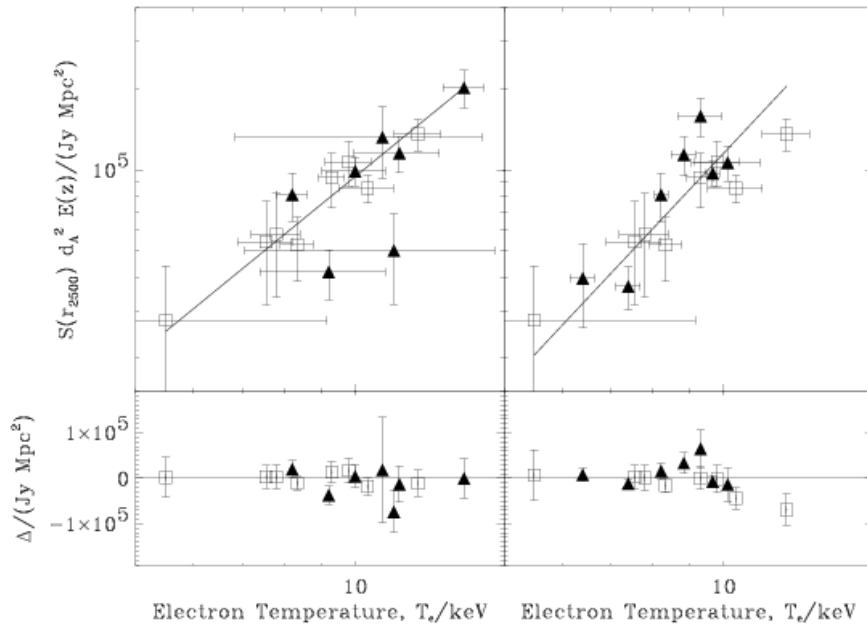
- Hydrodynamical simulations

$$\rightarrow Y \propto T^{5/2}$$

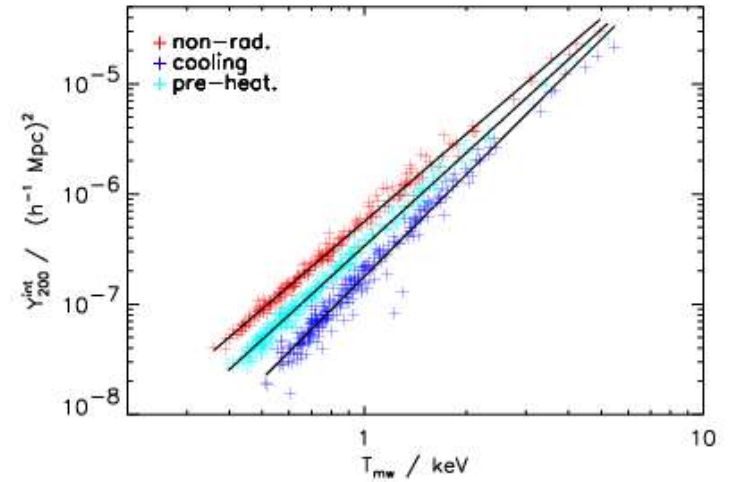
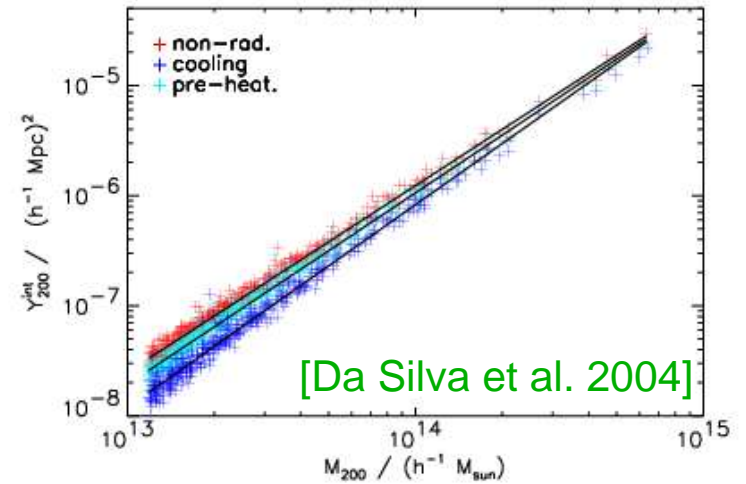
non radiative $Y_{200} \propto T_{mw}^{2.63}$

cooling $Y_{200} \propto T_{mw}^{2.90}$

preheating $Y_{200} \propto T_{mw}^{3.03}$



[Benson et al. 2004]



- Observations (15 SuZIE clusters)

$$Y \propto T^{2.21 \pm 0.41}$$

Summary and perspectives

- Good results from a test case sample (despite biased)
- Future works with **unbiased and complete samples**
 - local reference [LP AO3 - PI: H. Böhringer]
 - evolution [LP AO4 - PI: M. Arnaud]
 - well calibrated scaling laws in $[z, M]$
 - $N(M, z=0)$, $N(M, z=0.5)$
- Combination with future SZ data
 - calibration of the SZ scaling laws ($Y-M$)
 - physics of structure formation
 - cosmological studies with X-ray surveys